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# Dilations of Irreversible Evolutions in Algebraic Quantum Theory

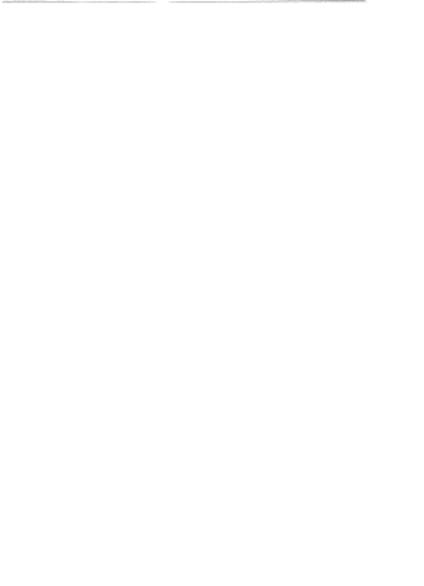
By

D. F. EVANS and J. T. LEWIS

DUBLIN

Institutut Arti-Léine Studie Artis Charle Deblin Institute for Advanced Studies 1877

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## Per Face

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\* For a sucception of the arrests subjection in an distortion context, see Labellia and Pirrote (1903). is preparing the numerical. Needless to say, those imperfections when senses are attributable solely to the outsets.

D. C. Evens

J. T. Levis

Bublish 5, 11, 27,

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# Гаткористоен

The process of these motes is to complete the problem of electric confidence of processible electrics of Q purchase system. In the electric confidence of processible dynamics is over larger system. In the electric confidence of processible dynamics, and finished the electric confidence of Q and Q are the electric confidence of Q and Q are the electric confidence of Q and Q are the electric confidence of an interesting electric confidence of an interesting electric processing electric confidence of a confid

Monthfully in a central those to any ambiniting tracesy. The binary of one communitative electrons to be expected. In the binary section as give a brief assessed of the binary of representing served relicent against a binary of representative artificial actions as to give a start, uniform tensions of serves well-bener elicities theorems, such as the departs -So. Higgs sections of positions definition to grants, the identification profession for it-electrons, and pulseed Schemistrage reconsistion, the opening and proceedings of the community assessment allowing and the community of the community.

In any first attend to newform reversition decodes from transcribes against an arrival to the content of the co

From this paint on, we never negative with the newspay were explicts and L\*-algebras, and whom suppliess one semilately positive contractions. Consists small-Vely in a security shows risky may be unitable total by such secuted and by imposed arguments. It is a much straight property that publishes, theorem. For summability to-eigeness the concepts of compacts small-Vely and positivity assumable for these common the obstitution does not origin to simulate publishing storage. If finishes from the farmers impossibly for compliantly publishes made that a straight which has an inverse with it also a magnitude to for fact as elegated; '-summaprisms (and become weight the same 'incorposite'). This is not so if too has man positivity. Completely profiles man have an interesting stylenol (neutromation (and at 1876), Lindales 1886). Two prices paymenting extends the study of convertions on system in the profile. We complete to whose that the study of convertions by a programmation grade of "emproprisms on a U" alighture, and throweversite florways privation in disccritical to a westgreed of progletchy positive mans to be before, 1976,

De Charter 8 es pre conterment with the automatical surveillers of the estimating of a quarter recommental against in a larger cro. Just the dual operation of sectionality to a subsystem. We then require a representative analogal of the constituent conjecture of the section flat present the property of a subject and the sectional content of the specific property of the state of the specific of the section of the subsystem of the section of the section

An electronic plantics, those was comparing positive wore in columns for CT-electrons in Charles 15. For the remission of this work, we emperature on NT-electron and term continuous striggment of schedules positive recognition. A study of granteline of puts semigroups in Dayleys, 14 and 15 longs to

a walkery dilation in Chapter 17, via the isometric representation of Chapter 15, the nave set given any account of approximate dilations involving a limiting precess such as the week coupling and the singular coupling limits.
We recommend the socialized reviews by Corind at al. (1976) and Gavins (1977a).

#### D. PORLIBINARIES

We give to be not undergood the promphilital for the same tend, and constitute new retailer. We demons that the report in tending with the foreserving constitute of furnitual analysis on Bernet spaces. In particular with the fluory of Millert spaces and Algebra of Spaces and Millert spaces, and the fluory of Millert spaces and Algebra of Spaces in Millert spaces, and the same to the fluor in Control & Alabamilia 1981, Amend & Spaces 1982, 1985, the property of the same transport with security of the same of the same of the Control of the Algebra, as a belief or real angers.

## 0.1 BARACH SPACES WID ONLYNARMETER REPURRUES

SF X are Y are Nation. Toward, D(S,Y) over the Continues and an account the property operators from Y other F. . So online of the ECA, II and D(s) day.

615. 611. A combination Y from X lock Y in an eliment of N(S,Y) point that

I THE TY OF I Self - E elifore all a pr X, then T An action or incombin-

If this a flower would, a exception and proof \$1, 2.1 = 0) to a min For  $\mathbb{R}^d = 0.00$  case that  $T_{\alpha} = 1$ , and  $T_{\alpha} = T_{\alpha+1}$ , for all  $T_{\alpha} \in \mathbb{R}^{d}$ , then sendence in cold in secretary distributed of the edge in 1,500 are not continuous for each to 10 for the manufacturing of the expension of the property and the sero for all a to he would figh if the space habeaut that made, restor-1825, A. 270, In this case, there exists a single develop deligant title of secretor I need that La . Lim If, a - also on the domain All. ), and I'll is perclosely the net of a in I fer white then their separa to his more regulars. (0,0%) of \$ \$400012 1985, p. 135, Youlds 1965, pp. 198, 2811. The mirrors is is called the government of the needgroup. One would not a language in sever less order the artigrame minerals, \$10,000 to \$1,000 for the six a tentile Marriery & Schoots 1963, p. 676, Yearns 1964, p. 2281. That we write the formal symbol of the fig. There exist positive regions if one a name tran I will be a well than all the the You all condition a section to a figure continue that a time thinks, we received not if L. and is - L) " - f" e"L a" at there a 8 Schools 1863, pp. 678, 577, Ventile 1966, pp. 278, 2405. Opening.

s<sup>22</sup> + 1in J) = ALOO<sup>(1)</sup> gives the satisficing in large of the resolvent of the presence (Gillo & PELLIA), 1963, p. 1631. Percent. e<sup>24</sup> to a conference semigroup of and holy in the tellinology conduction procedures but.

Fig. 40 a to \$1.7, there extrine \$ 10 at airs \$ \$\frac{1}{2} = 1.

Fig. - \$\left( \text{-} \left( \text{-} \tex

For all 1 it is ent a let 0 till, at their

The number of Schwertz (1931,  $\omega$ , 625, verify 1955,  $\omega$ , 196, those of Shill (Bartist & The number of  $\omega^{(1)}$ ) is now non-instance of and only if v is an Shill Chartest & Theoretz (1931,  $\omega$ , 621); is also associate the plane by the small power orbit expression  $e^{(k)} = \frac{1}{16} \frac{m}{12} \left[ 121^{(k)} (v) \right]_{+} = 0$ ; if v is a substantian small power of an expression of the small v is a substantian small power of an expression of the small v is a substantial small power of the small v is a substantial small v is a substantial small v in the small v is a substantial small v in the small v is a small v in the small v in the small v in the small v is a small v in the small v in the small v is a small v in the small v in the small v is a small v in the small v in the small v in the small v is a small v in the small v in the small v in the small v is a small v in the small v is a small v in the smal

17 ) preventes a strongly mentioned one-parameter semigrous s<sup>(1)</sup>, and 2 de la bacardo documento de A. todo L. - 2 presentes a virugale contiguias meparameter samigroup s<sup>(1)</sup> L<sup>(2)</sup> seath satisfies

$$e^{i t \{1 \le t \}}(u) + e^{i t t}(u) + \int_{u}^{u} u^{\{1 \le t \}} (1 + u^{\{1 \le t \}}) du = e^{i t t + |T|}(u) du$$

for a 2 Time of in 3 Confirm 5 Sensons 1905, p. 601, Satz 1905, p. 981. The perfected sentence is also given by the ClarTrotter project formula

For all a in a Climeter SSSE, Excess## 157%L.

# U.7 BANNON \*-ALGERRAS AND C\*-ALTERNAN

A present algebra A is a solution number of course and A and A and A are solution as a limiting, arrithming as A, we meanth A in this case A is sold to be setted, the approximate observing the A is small A and A is a rest A and A are that A are A is a rest A and A are that A are A is a rest A and A are that A are that for most A is a new map A and A are that for most A is an element A and A are that A and A are the rank approximate A and A are algebra and A are algebra A and A are algebra ano

element a 10 of "-element A in said to be sold-collected for Assessings) ( $\mathbf{r} = \mathbf{s}^*$ , the set of collected at element of A in denoted by  $\mathbf{r}_{\mathbf{s}}^*$ . Such element of the base a satisfic elementation of  $\mathbf{r}_{\mathbf{s}}^*$ ,  $\mathbf{r}_{\mathbf{s}}^*$ , and  $\mathbf{r}_{\mathbf{s}}^*$ ,  $\mathbf{r}_{\mathbf{s}$ 

s. throughhous to be a florisch fruitgebote seem bleet (finitelling | | | | | | | | for all a in A. . If A is a fewere "laighters, then the algebra & scholand from A to activities on inhabity in a baroch algebra ambatrations & so a female schalgebras services. If A is a It-algebra, then on in N Clarest 1971, \$1,1,71. Sunsy C'onlocken has an opportudante namentaly (Constant 1980s, \$1.7.2). tenented Linear may from a 1º-slighter A lists a Benesis spece, than \$T\$ = see I to a cottery to O. moreous A In the occa-closed enters bull of the unitaries Chance & Dye 1988). If a he w " namonagetion from a C\*-elignica & into poster It algebre H. Hum with a contraction and side is form stoned in the If with faithful it laim temetry (Cheery 2009, \$1.3.7, fater 101, \$11.7.8, 1.13.41. A non-claims "-edebasies of a C1-algebro Ata a C1-algebra, and is sent to be a Chesholyabee of A. For my editions upon H, the elected fifth in a It-edgetors, and the Crossistantes are seen as Ct-algebras on S, or measure Challedge. A freezementation of a freigness & as a stillest speech in a \* tumumorumum from 6 tota Riel. The Initiate Animare impal representation theorem asyn that every Cf algebra her a faithful representation as a concrete Of algebra on a Hilbert spece (Stocker, 1985a, 15.5.), Secat, 1871, 11.76.81. If X is a lacoily compact Hauspartt name. Then C\_(X) from many of continuism functions which wented ut infinity, engined with the express more in a completive Chalgebra. Coveredly, every associative Chalgebra in Laboratio to come t\_181 (Glosder, 1981s, \$1.4.1, Local, 160), \$51.2.1, 1.2.21,

#### D.S. W-hippens

A W-elgebra A is a C-elgebra which is a such blooms space from (a), there exists a flatest space from F and that A + 6.7. In this case F to entoying accommon up to incontrib becommon, who is existed the pre-dad of A, written A, Hassi, 1971, A, 17.21. The same "-treatings \$10.4.1 is absorbed on the altrepook, or needs (operature), tracings, Easy of elgebra and a institing (facts), 1971, 1973; If A is a W-elgebra and C is a min.A, 1-traced "-exp-algebra of A. New B is a W-elgebra with product \$4.75, some 0, is tracessibletor of B is A. Hassi, 1971, 81.74). Then B is acts to be a W-elgebra of A. The plants "AC-" applice, for accommon to a temperature means a sold "-certificate procumption. Then a W-elgebra of A. The plants procumption. Then a W-elgebra of B is a west " specific procumption. Then a W-elgebra of B is a west " specific procumption. The scale of B is a west " specific procumption. The scale of B is a W-elgebra of B is a west " specific procumption. The scale of B is a west " specific procumption.

More with a violent speed when the intelligency, the present of Siri one is identified with the Banach when first of All Index steed expensions on the section of a lattice of

If A is a C'-algebra, then A'' is a W'-algebra, and has be identified with the ver America eligible prevented by A in the universal representation (Series, 1874, 81.17.2). If T is a temporal linear map from a C'-algebra A into a C'-algebra B, then T can be entered with reduction to an introduced with free C'' into B.'. If M is in fact o M'-algebra then I have be entered.

to an altractory continues was tree 85 totals from at the att, 1911, 45,81,101.

## D.A. Droppe

A (partied) entropy of a set in a rollarion, transition estation, involve by F. If Wise vector made toyed the margin fless, as small, as before Film Villa is become surfaction Film Film Plane B \* Pilm Film W. embed morning appear to a mention power & studies of with a winder VI. The advances on Visition are to y' are able to be positive. The weeks y' of apolitive electric actions on presenting 2 for the first a work a first, a day of any a day by \$5. A disput has \$1. between present mostar spaces V and H to best to be produce 17 175's a V . . 37 A to a "-statent on introduct the weign a" of all fixth now I als with a se-As we note that A a A . . The same of companion transfer is a scalar and one A" In a cree little in, A" is A" - 1001, much element a le A, has a longer moneposition are approximately and approximately and approximately approxima These was T belove P objectes A sed & is obstitue of any only if Natal a C the off with 6. Any marking times may from a thrust " planton with approximute thereby true a Coungable to salessiftedby sentences filterists, 1990. MS. HO; Personar, 26 A and S are writed 11-algebras, then a second Labour way I from A dato B, antisfying Til, ) - to . Is patition in and only in T in at have one Higgs & Date, 1986).

If A is a Cf-circle. We use the interior of the teach that

(o<sub>b</sub> : b = 0) as a set of sept-adjoint elements of A, filtering species, with

(sent upper faces x. Then a sention on T setumn Cf-adjoint X and S is said

to be support to a b. A to be A sention To<sub>b</sub> : Ex an B. A position was entered

b\*-adjoints as retroj if and only if it is west \*-continuous (Sensi, 1974,

40. F.A., 1.15.5).

#### D.5 TENSOR FRODUCTS

16 A with our bound spaces, we denote these algebraic beauty promoted by  $A \in \mathbb{R}$ . Consists we denote at follows:  $A \in \mathbb{R}$  denotes the purposition tensor property (foresteen). Intil: if A and B are without nearly, A a A benches the effort space tensor product (forest \$1000, 1877). If No. 41 is a

appears upon, will be a filter make, we let it high decide the most of Deather/res (letter will function ( ) if the manifolding)

\* Mri.s. : Gr measurable for all a do.M. 10.6.49

Norw do a minorable adapted A<sub>a</sub> in M ann

Heat file into the for manners entry ~ 10.5.41

B et of L do to L form. 10.6.5.

then  $\xi^2(E_{\rm tot})$  in a Milmert space over equipped with the lower purpose

We may r = s + f(r) is noticed induced to a century was at (f(n) = s) onto

We define the IT- and of the out promotes for process alignment on the force. Det A. R. be IT-alignment on Hilbert spaces to the IT-legac of IT-legac

Let (Appl to a JumiCoulds source apiec (that Is, a size of each owner fastion necessary). The p [Di] the space of all necessarily tracket. According to constraint the fastion of a production of all potential potentials for an applicable investigation of a [Di]. Constraint, every constant on A [Di], for any (N,a) (Dens, 2011, \$1-10). The execution of a [Di], for any (N,a) (Dens, 2011, \$1-10). The execution of a [Di] on a potential of a [Di].

#### Let'el alliul - dint glief.

In a driftful fringeric trails of  $L^{2}(H)$  as a smallest shallow are decrease algebra on  $L^{2}(H)$  filters. L(H), H(H), H(H)

 $L^{2}(\Omega)$  § H arts  $L^{2}(\Omega)$  %). Under this identification, the pre-chal  $L^{1}(\Omega)$  % of  $L^{2}(\Omega)$  is necessary identified with the pressure  $L^{2}(\Omega)$  § H, of  $L^{2}(\Omega)$  § M (Sakxi, 1871, \$1.22.13).

### I. Posttive-depended occaseus

Transplant than obspine a decime a set and a semilar account of any a 1 a = a mill be native a formula and the set of soul terrain to a victimcome changed by XIE(41).

1.1 Definition — a before a to exact a matrix to be predictive-definite if, for each position if and each product  $x_1, \dots, x_n$  in X. the inequality

Neigh-

1.2 Example that 4" he is Hilbert opens, but V so a new from a pain 81H,H"!, and but

the

at that it is positive shringing

The percentage minute of these shapes as then a benefit to possible section as they if it is, to expressed in the form (1.7).

- 1.3 September on a second to size the  $H_{\nu}$  to a size a second set  $H_{\nu}$  to  $H_{\nu}$  to a size a second set  $H_{\nu}$  a  $H_{\nu}$  to a size a second set  $H_{\nu}$  and  $H_{\nu}$  to a size a size a second second size at  $H_{\nu}$  and  $H_{\nu}$  to the size a size as a size as a size as the size as a size a
- [1,4] [Sixu. Let's be in Kibini and les V he a minimit helongeror decomposition of C. Then in each hillsopenes decomposition V' of a there mercuposite a series december. N : N<sub>g</sub> = N<sub>g</sub>, Such that V'(a) + MN(a) for all a D. S. Accesses, if V' is evaluat that N is military.

Modely. Moreover the extension the mass of extensions of the form  $\sum_{j} \nabla (x_j) \cdot x_j$  to decide as  $a_{j+1}$ . The mass of  $\sum_{j} \nabla (x_j) \cdot x_j = 0$  where  $\sum_{j} \nabla (x_j) \cdot x_j = 0$  and the form the extension of the extension

and here at metrods by continuity to an immedia v ,  $n_{ij} = n_{q^{\prime j}}$  . The mass is realized

we now yet to show the existence of a holongaria majorganistic row as excitored possible increase terms. We need that to producting a reconstruction measurement account to be become. We need to a Hilbert Alana of the assess further approach by these set the form of the along the president of a 10 pet of their product. For this parameter is convenient to reference definition in the first we need extract definition.

1.5 DEFINITION LET F<sub>0</sub> = F<sub>0</sub> [Next] denote the medic-mass of P below? Sometime of P below? Similar time of P below? Similar time of the control of the provided functions of A. We investigate the control of the algorithm of the algorithm data? T<sub>0</sub> of F<sub>0</sub> by setting the reading p<sub>0</sub> = 0. At of F ord F<sub>0</sub> by

$$(p_{n}, f) = \prod_{n \in \mathbb{N}} f(a), f(a) \in \mathcal{A}$$

Distance to the first appears only a finite range of targe in the assume conpress. I find a locality of the period of appearance constitution approxima a. c.f. (April + Alberti my

Tren Definition, 5.1 day, his returnsheld on

1.6 Despition The series K to GEAN in printin-deficie to and only no the commission constitution appraism R = P<sub>a</sub>(R) 0 = P(R) 0 in continue;

Book we resed a ventur-space Freque,

1.7 Leave the the a complex community, and for V' be the algebraic samp deal, which the pertrains v' = v + t particle v' = v + t v' = t. Let v = v + t v' be a linear empiric such that the, at v = t partially, v = t v' = t. Then there is a particle v = t v' = t v' = t.

defined fewer-protect on the reaso-come to given by

From: The computations from  $v_1, v_2$  in  $a|v_4, v_7|$  :  $Av_4, v_7$  is positive, as that the Schwerz immunity follows

If follows that the set  $V_{\mu}$  is a  $\nu$  s when  $\mu$  = 0 assumes with the expression A and B the extraction of a  $\nu$  +  $\nu$  +  $\nu$  +  $\nu$  +  $\nu$  and B the contact  $\nu$  =  $\nu$  +  $\nu$ 

$$\begin{split} & = \delta v_{ij}, \ \delta u_{j} v \rightarrow v + \delta v u_{ij} t_i, \ \delta v u_{ij} v_i + v v u_{ij} v_j v_j v_j v_j \\ & = u (v_i, v_j) + 1\delta u_i, v_j v_j \end{split}$$

1.8 THEOREM Not made possible that it is a transit shown makeds a surique attack appare (IN) of remained functions on a made that

proof: Since the sorte a in positive mediates the sunctable coloniates absorber a of  $F_{\alpha}$  ,  $F_{\alpha}(R_{i})$  the transfer of defined in 1.4 mediation the spacehold of the substitute of the spacehold of the substitute of the su

the effective state in the course with a relief the reproducing Janual Address space determines to 6.

1.9 THEOREM: A horsel has a tologogous discognition if and only if in inprocessing-definition.

Proof: If follows from Example 1.2 that a second binding a bilinguist parameter in a position-definite. If F is a position-definite toront, then  $V(x) = X_y + 11 + 6001$  as to the area of theorem 1.5: then V(x,y) + 0001 = V(y). Then V(x) = V(y) + V(y) = V(y

- 1.25 RIMAR. In tellina from Theorem 1.2 Cast a positive definite kernel in Mermittan apprential: Kin. of \* Visit Wall + Cig. 1.
- 1.21 DEFENITION the set of (Not) of position anticity turning in (CASE) runes a coop, on define the induced partial ensemble part of S.\* If sets only if S. S.\* is in S. (Not). The most result was that it is furnished.
- 1.22 THEOREM for a out of the praction-definite hornology over a n h of and only of there is a transmissibly antiques antiquation of a nint + nin 's much shown's on, for out a on h.

Proof: Let  $X_i$   $X_i$  be an  $X_i^{-1}(x,y)$ . Then  $X_i = X_i^{-1}(x)$  and only if  $(X_i, y) \in (X_i^{-1}(x), y)$  and with y in  $f_{ij}(X_i, y)$ . This retains an entropy if  $(X_i, y) \in (X_i^{-1}(x), y)$  and  $(X_i^{-1}(x), y)$  is the same of any  $(X_i^{-1}(x), y)$  is the proof of the proof of the proof of the proof of  $(X_i^{-1}(x), y)$  is all  $y \in (X_i^{-1}(x), y)$ . The proof of the proof of  $(X_i^{-1}(x), y)$  is all  $y \in (X_i^{-1}(x), y)$  is all  $y \in (X_i^{-1}(x), y)$ . All the proof of  $(X_i^{-1}(x), y)$  is all  $y \in (X_i^{-1}(x), y)$  is all  $y \in (X_i^{-1}(x), y)$ . Althing this consist together while them  $y \in (X_i^{-1}(x), y)$  is all  $y \in (X_i^{-1}(x), y)$ .

1.15 Cosmilary for a unit of the prodution-deposite demands with hologopus descriptions of and of compensations. Then a 5 6.5 of and only of these for a position contraction 7 to 100 1 ages that

for all a, y in X.

1.19. Theorem , for a to its officers, start for each  $\epsilon+1$  and each a in a section

in provinciar, the Johnson impullity hilds:

Proof: Let Vie a separat tologram consequition for Eq. (see section)

The all  $x_i$   $y_i$  in  $X_i$ . Thus by Theorem 1.8. It is brough in Figs. that the descript

in a meteodies. But

by the spectral traverse.

# 2. Positive-periality runctions.

The principal condite in this change are the well-brown representation theorem. On this relation of grown threshold the this section of grown threshold the this section of grown threshold the this section of grown threshold the continue and arithment of the section threshold the continue and arithment of well-of this point and arithment of the things of the section of the sectio

for all suit in S. . The set S, of intertrine to it, it to a new control of

- 2.2 Examples t. Let be a group one let  $\mu(x) : e^{-1}$  for all  $x \in \mathbb{R}$  then  $x \in \mathbb{R}$ .
- It let 5 in a following with unit, and let  $x(x) = x^n$ ; thus  $x_{x^n} = x_0 + x_1 + x_2 + x_3 + x_4 + x_4 + x_4 + x_4 + x_4 + x_5 + x_5$
- 2.3 September on a manufacture of the analysis of an interference of the configuration of the analysis of the configuration of the c
- 2.4 EXAMPLE Lot (0.3) to a green, as in Connecte 2,2791 arose. 181 a : 5 - 8791 to a letting representation of 5. Let w : n = 59 per Japantity. Step No. Perhips.

is positive-seriative and how o expression, disconnection of where wild - biggin.

We shall see that every positive-veriette function on a group has been as truly dark.

2.5 THEOREM ... dot (i.i.d.) he a conformal office conduction, for Y : 2 - text for a provided-definite function on 3, and let 0 be a minimal Advanced discomposition for 3. This there nations a single homoroughton a of 5, text the sent-group of investment on 6, , and that

ADD WAT 1 VIRGINI

for all b m 1, and all b for by 19 follow share

Mildelines - 41ab\* and visit

for all to in  $T_j$  and all  $m_i$  and  $T_i$  and that the contribution of a to  $T_j = H T_j + H T_j = 0$  is a T-map.

attilt a sizet-

describer, if it is a tendeployal contrary that contractly in the west approximate property of the way are that expedit the cone for the site.

(resp). For all  $a_i$  a is 2 we have fine? Simi  $i = 2.2 \log(a) - 1.2 \log(a) + 2.2 \log(a)$ , wherever is in  $E_{ij} = 2.2 \log a$ , by Lemma 7.3, the electricity of a softenin function  $E_{ij} = 2.2 \log a$ .

Gas will a 10 ft. In follows from (2,5) that with  $\Phi(x^{k}) = \Phi(x)^{k}$  for will be  $\Phi(x^{k}) = \Phi(x^{k})$  for  $\Phi(x^{k}) = \Phi(x^{k})$  for  $\Phi(x^{k}) = \Phi(x^{k})$  for the first surface of  $\Phi(x^{k}) = \Phi(x^{k})$  for the  $\Phi$ 

- \* TIJIBOUT Tight JUSTS)
- + 90 60\* 40 367 Will -

as that \$100° a \$1.261 by originature. The surfigidly asserting to also --

7.5 CORDILARY but there a group, and let t i G = most be a point-founde/former function on the filter there exists a billiary space n<sub>a</sub>, a unitary representation a : c + (0 + 10 + 1) and a last V in the 1 and that

14.01

for all g to E. If the decomposition (2.4) is white the in the origin up to unitary equivalence.

2.7 REFINITION and the a '-algebra with drystation that " a". A new 1. A = 0001 is onto in the complexity profitive if it is innear and profitive. enforce. It follows that if V is a stream volume or emergentiate for a temperature partition was then  $V = X + \mathbb{E}[P_1 P_2]$ . In Timer,

- 2.3 Example 1: Let e : n = n be an immutry, and let e in a "-subalgebra ar tory". Then I : e = 00th grown by Tish - N'm N is invalidably mutrice.
  2. Let a : e = 00th in a "-risknesstation of a "-signism Ar. Then I is the photologicalities.
- 2.9 REFIRITION or algebra is any acceptant to the most to me a invalgable. Set up to the three courses of B<sub>3</sub> is 2B<sub>2</sub>1. If B has a unit, then a in in S<sub>4</sub> is 100,3 at everyone of 1000 or the value.
- 2.20 EXPCS As also not be now + algebra with injecting. A. the inservement as a linear mention of four initiation in A., term every nonalgebra to a u<sup>2</sup>-algebra.
- 2.11 THEOREM Let 11...11 be a stratgeton, Jet 7 t. 5 = 0001 for completely positive, and let v. 2c a minimal kalengorou decomposition for 1. Then there exists a unique "comprehension o t. 5 = 010,1 such than

for all as a sea. It follows that for a star visit visit

for all a, b, c to b

Description is  $a = a_{ij} = Bai_{ij} + Bai_{ij}$  on the "-maximum bias or fluorest (.2. from the a in it as these  $a + \sum_{i=1}^{n} a_{ij}a_{ij}$ , where  $a_{ij} = a_{ij} a_{ij}$  are consider regions and  $a_{ij} = a_{ij} a_{ij}$  on  $a_{ij} = a_{ij} a_{ij}$ . Then what it is  $a_{ij} = a_{ij} a_{ij} a_{ij}$ . Then what is a sum  $a_{ij} = a_{ij} a_{ij} a_{ij}$ . Then the interval is a sufficiency "-maximum bias in the interval  $a_{ij} = a_{ij} a_{ij} a_{ij}$ . Then this indices the interval  $a_{ij} = a_{ij} a_{ij} a_{ij}$  is a sum  $a_{ij} = a_{ij} a_{ij} a_{ij}$ .

2.12 Concented: Line a be a writed of-edgates and det 1 i a - time to employed puriodise. Then there exists, uniquely up to writerly equivalence, a 1-supercontaction n of A on a hillman apare is, and a branched linear map 0 in n is, and that

for all a in A me it, a Watalyh i a a a, a a al ...

Stimusting decommittions due aim to enteired for tere general elgation (for exemple, for some represental algorital Dissure elles that the Stimusting topiquentation is extently settled on a larger elgation. Hence they give the static in very electron obtained, we give an exemple of an extendion of Malesquing's timeses. The result is quite elegate for our model. The proof this paper for exemples includes.

2.13 Tegenth. Lie A be a bount "-algebra with oppositions identity, and les 1 be a simpletely partition may from A into mini. Then there exists, uniquety up to unitary equivalence, a different space m<sub>p</sub> a "-representation is of A on M<sub>1</sub>, and a map N in the M<sub>1</sub>, such that

for all a bid, and

Proof: Let 8 be a minimal Killengarov economisation for T, and let A' constants within Serect ' eligrary obtained from 8 by adjusting as limetity. Then 8 is an total or 8° and

bets that the court theorem welles to a new-pital C\*-algebra and to the group algebra L\*160 of a decally request group G. It to get at this coint to where the relative relationship errors positive extents the elements and considering positive recommendations of the perturbed the colors only between the whitest the elements that the description of the first plane, construct a cutoff of elements and the first plane, construct a cutoff of elements and the state of the group of settlets which the limit t - elements t - elem

$$((a_{1}^{+}a_{1}^{-})+b_{\alpha,\alpha}^{-})_{12})(b_{\alpha}^{+1}b_{\alpha}^{-})|_{12}$$

reporting from Fig. bear wide as a contraction of the growth of their matrices, we use that  $1.0\omega_{1}^{2}a_{1}(1.0)$  a sample of the same  $(1/\omega_{1}^{-1}a_{1}(1.0))$  and therefore, 1/2, a contraction of the contraction of the sample proposed time. Here the restriction was favor the Schwerzer matrices and path the Annexes Co. Topy explanations

This according out of large furthers. Report I is a fearing require group, and I is a recognly influence solution operator execution in B latting as wellfully beauty and a significant beauty for it is many to verify the

where  $a_0$  is a beta-leverised floor immediate of d, neview of completely positive map  $T^+$  of the Record  $^+$  algebra  $^+$  if D is a Rief. . Parametr 1. set at above, using the quickness of an expensional elevative for  $L^2(D)$ , that space originally positive map on  $L^2(D)$  around it this way.  $T^+$  is a disconnection of  $L^2(D)$  of one  $-D_0(D)$  if T is a setting expressionation of T. The sterminant interest-law topographic of T on D Denother T on D Denother T on T on T on T on T on T on T.

gives the feltiment Originality exposurable at a 100 filteres Tellin.

and shirt-mean.

## 3. DELATIONS OF SENIGROUPS OF CONTRACCIONS

In this physics or discuss wise consider theorem the newtranse of specialty or tribute special Terms of the block, are multipled to describ feature 15.5%, are where by the rings's feature (3.2%, 2; 4)% or will promote a telephology.

3.1 THEOREM for  $(T_{a} + a + b)^{2}$  is a strongly distribute configuration of the matrice as a fitthest space  $T_{b}$  , then there exists a ATI-but space  $T_{b}$  , a softene group  $(U_{b} + b + b)$  on  $U_{b}$ , and as formally  $x + b + u_{b}$ , such that  $(U_{b} + b_{b})$  for all  $x + b + b^{2}$ .

If so waste like shad IT, I wright the world results

3.2 Taggath (at ()<sub>g</sub> = a t f<sup>-1</sup>( be a strongly continues continue of our transition on a follows space n<sub>g</sub>: then since action a following one in a solitory group (n<sub>g</sub> = a a fill on n<sub>g</sub>, and an investey 0 = 0 + n<sub>g</sub>, 4 and that n<sub>g</sub> = 12 n<sub>g</sub>/fee att a 6 x f<sup>-1</sup>.

He man elected the colors to printing smaller of Transman 5.7 and 5.7 generality when S \* as regionally, we establish settles the settle states theorem 5.1 as a special case of Transman 5.4 and Transman 5.1 as a special case of Transman 5.1. Similar, or about theorem 5.11 that when the same ground T \* 1 to the classes of Transman 5.7 is the classes of Transman 5.7 in the classes of Transman 5.7 in almost the settles of Transman 5.7 in the classes of the settles of the contrast Linguist specialism. Dely Transman 5.1, 1.7 and 5.13 all is acquisited to the explaint to the excitations to deriver relations.

It this statisty was profite assignment is to assume to have a note. We assign a summarished to the fill of 5 that the samignment of assembles on a silicent team is. We won't to aim for posterior, a terminable to the samignment is puts the group of orthories as gone fillers assignment their contraporate a group title scatter to 7. New to much continue assignment is their contraporate a group title and a manufacture of 1 the same best every form marginum or 5 total a group in factors through \$(1)).

The discense assignment is a mark that the same based on the same base and the same and the same based on the same based

The first stor, from it is not I to continue a monoconfider from SCS1 into the group of well-scales or now willout apone. It farms out that is always passions. First we recoil two construction of sixts.

3.3 DEFINITION into 2 to an ambient sent-group. Let A: 2 - 2 = 0 to be an ambient sent action of a contract and action. Then S = 0 follows the action of a contract and actions are arrested, which is a group index bis, C = 0 follows are denoted action. The map are which in a commorphism, which we denote by  $C_{ac} : B = 0$  follows the C is then if a group of the arrested action of the contract action in C is a theory against the C is a contract action of C in C is a contract of C in C in the contract of C is a contract of C in C in the contract of C is a contract of C in C in the contract of C in C is a contract of C in C in the contract of C in C in the contract of C is a contract of C in C

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the advantal property of  $\{ \gamma_n \in S(0) \}$  follows from this. The beamsemption  $\gamma_n$  in Exploring 44 and only if the apprehinting ine thing in  $\{ i = 1, \dots, n-1 = n \}$  beginns that  $n = 1, \dots$  show it is a translational energying we give \$150 the quotient topological while when  $\gamma_n$  consistence.

3.0 Throsem for a be an obvious confugence. For y 1.5 + 200 50 phoconstruct homosphism of 5 this the destination group of 6. Let Y 1.5 + 200 the a himmorphism of 5 into the perfugence of formation on a millery space it. Then there is a profile-definite from in 1° on a 50 mah char.

per all in the to be the

Proof: Consider the function  $h_1 \in \mathbb{F}_q^{-1}_1$  so  $h \in \mathbb{F}_q$  (a an intercry so have  $\mathbb{F}_q^{-1}_1 \subseteq \mathbb{F}_q$  ) and the function is constant an additionable and advantage a and que function  $\mathbb{F}^1$  on h(h) so a function h as positive, definition, consider a flate h-having  $h_q$ ,  $\dots = h_q$ . In hill and ancoor cases, representations  $h_q$ ,  $h_q$ 

and it to come that "" it positive notiving,

3.5 DEFINITION A sumb-group recommender 7: 1 = 0100 of an exection sent-group lates the comment contribute on Hilbert space H such that f<sub>e</sub> = 1 is easily to have a setting electron in the output space of Thomas exists a Millert space n<sub>e</sub>, an incomment V = n = n<sub>e</sub>, and a unitary regime station in this is Bits of the Contribute that the Contribute property V = n = n<sub>e</sub>, and the unitary regime stations in this is Bits of the Contribute property V = n = n<sub>e</sub>, and the contribute property V = n = n<sub>e</sub>, and the contribute property V = n = n<sub>e</sub>, and the contribute property V = n = n<sub>e</sub>, and the contribute property V = n = n<sub>e</sub>.

$$W_{\theta}^{*} = W_{\theta + 1} \cdot W_{\theta}$$
 (3.3)

We relation FS-21 Desites the select

$$T_{a} + b^{a} U_{atal} = 0.0143$$

admin 9 to as topratry. If O.35 routs on any trut 5 am a pattern diffation.

3.6 THEOREM Let's be be obtained another and let's 1 is a similar but a large terminary different but with the strong sease (f and only if T<sub>g</sub> is an immune for all a in 0. If 10, v) is minimal than in the crippe of to a unitary equivalence. If 0 is a implication participate that the anciencity of a to T<sub>g</sub> in the underspecture capting incline the same for a to U<sub>g</sub>.

Josef: The first part is encount time the  $t_{g(q)}$  and t are described. If the  $t_{g}$  are described than it follows from Theorem 3.5 that the established forction  $t^{g}$  are still be positive-definite. The considers of the power follows the since of their of Theorem 2.3 and the interior, but the particular form (3.7) of  $t^{g}$  yields more: 13.71 rdfm: It is enough to see thy findam intergraps deposition  $t^{g}$  and the interior particular form (3.7) of the

Heaven A.S. Health R., Steller 1977 and the Lorentz Will Hor P., Steller

. For all  $\theta$  )s and , the expension of  $\theta$  , which  $\theta$  is given by  $\theta$  in  $_{\theta}$  and  $(e^{+})$  =  $1_{e-1}^{2}$  in .

esting the Year, are their over \$ 5, while

Agreement to a configurate of contractions which has been decreased by the materials, as and if they come a vertical middle of the same of CLOOK. To seem the contract of the

3.7 Parson the falled by the apparent of a we supposed to

THE OF A, Is no water to \$1000

3.8 Totales the rise of distinct reciprose for photo 19.00 totals, and not to a new enterprise the configuration.

Like 
$$T_{\mathbf{k}}^{n} = T_{\mathbf{k}}$$
 , the set is the stiff.

) (a) 
$$T_{A}T_{A^{2}} = T_{A+A^{2}}$$
 , of assume  $a_{A}$   $b_{A}^{2}$  and  $a_{A^{2}}$  . Assume that  $A = \{a_{A}, a_{A}, a$ 

then I be positive-algorith if and very of  $I_k$  in a continuous for each  $\kappa$  by which then I have a soften difficient.

Proof: There a five visible of elements  $v_{ij}$ , ...,  $v_{ij}$  of ALEs, ordered as that  $v_{ij} = v_{ij}$ , in our to Lyckell if i.e.  $v_{ij}$ . Exceptor the  $v_{ij}$  and a substantial extractions

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$$\begin{aligned} &u_{0,j} + u_{0,j}(\tau + t_{g-1,j,j}^* - t_{g-1,j,k}) \;,\; i = \tau, \\ &u_{i,j} + \tau, \end{aligned}$$

the place over a

logs & it must be if we odg if a power a la gentile in ast any in the

 $\begin{array}{ll} T_{b_1}+1=t_1,\ldots,t_k \text{ for extraorders}, & \text{it powers to posse (3.62). Better that } \\ T_{12},T_{2k}=T_{1k} \text{ subsects } 1+2+k_1 \text{ and } 1/41,T_{2k}^2+T_{2k}, & \text{if } 1,0,1.\\ \end{array}$ 

$$||u^{i_1}u_{i_1}||_{L^2} = \prod_{k=1}^{n} |u^{i_1}|_{L^2} ||u_{i_1}u_{i_2}||_{L^2}$$

That for 2 o 7 as how

$$\|u^{k_{1}}(t,u)\|_{\dot{H}_{1}} = u^{k_{1}}_{0,1} \cdot u^{k_{1}}_{0,1} \cdot u^{k_{1}}_{0,1} = v^{k_{1}}_{0,1} \cdot \dot{u}^{k_{1}}_{1,1} + \dot{u}^{k_{1$$

fat I F a = 1 or have

$$\begin{split} \left\{ \mathbf{x}^{2}\mathbf{x}^{2}\mathbf{x}^{2}\right\} &= \left\{ \frac{1}{2} \left\{ \mathbf{x}^{2}\right\}_{11}^{2} \left(\mathbf{x}_{12}^{2}, \mathbf{x}_{22}^{2}, \mathbf{x}_{22}^{2} \right) \\ &= \left\{ \frac{1}{2} \left\{ \mathbf{x}^{2}_{11}^{2}, \mathbf{x}_{22}^{2}, \mathbf{x}_{22}^{2} \right\} \\ &= \left\{ \mathbf{x}^{2}_{11}, \mathbf{x}_{22}^{2} + \mathbf{x}^{2}_{22}, \mathbf{x}_{22}^{2} - \mathbf{x}^{2}_{11}^{2}, \mathbf{x}_{22}^{2} \right\} \\ &= \left\{ \mathbf{x}^{2}_{11}, \mathbf{x}_{12}^{2} + \mathbf{x}^{2}_{12}^{2} + \mathbf{x}^{2}_{12} - \mathbf{x}^{2}_{12} + \mathbf{x}^{2}_{12}^{2} \right\} \\ &= \left\{ \mathbf{x}^{2}_{11}, \mathbf{x}^{2}_{12} + \mathbf{x}^{2}_{12}^{2} + \mathbf{x}^{2}_{12} - \mathbf{x}^{2}_{12} + \mathbf{x}^{2}_{12}^{2} \right\} \end{split}$$

Dis constitute that T 1: Illinois for the afficiency are stated with the afficiency and the misses from limiting 3.6.

- 3.9 REMARK To Addison confidence of 5 are exclusively
  - CEL WIND O'C WIND I A MINE

14.71

(ii)) We note to the set in the Para solution is, which is said that

at transmission

- 5.20. Printing may been excitation mentioned a to recordly ordered in their marginal rate.
- 3.31 Trippes: Let a be a condity undered shallow endoughout, and ten this a minimum becoming the analogues in a P<sub>2</sub> × 3. The || P<sub>2</sub>||| 2 × 5 and the consideration from the || Of this are now to them T<sub>2</sub> × T<sub>3</sub>.

Then there is a serious position-deposits floorline to an king such that

$$\Gamma_{q(a)}^{i} + \Gamma_{a} \text{ are } \Gamma_{iq(a)}^{i} + \Gamma_{b}^{i}$$
 (9.9)

per all a de to heate I have a serious differior.

Peopl: Since (3,4) and (2,7) mile, there is a sell-partner function (\* or file) which is uniquely entertimally (3,5). It is easy to place that it assistant exactions (ii. 11) and (0.1) of finemen 5,5; the result follows:

We began this thesion by locally at all anyther owns of a semigraph of seminarities, where the contractions promise the name of west senter. We see the chapter with a local of the operate extreme, in which the name or such account year in more seminarity when it must seminarity when the companion of the semi-group settining on another large example, a night case, a mirror buffery effection of the semi-group settining on another large examples.

5.12 DEPENITION Let 5 be a bounty connect semi-group, a semi-group  $\Omega_{q}$  : q of St of conventions on a cutter's some H to said to accorded strongly be serve (at antistip) if for all H in the base

First we reside an eliminative assumption of a contact stration of a semi-group of desiredition over  $\mathbb{R}^d$  , which contacts straight to love.

3.13 THEOREM — Let  $U_n = 0$  a  $H^{-1}$  be a scrongly standard configuration of macroscopies on a Hilbert space H which protects strongly to said. Then there be a Hilbert space H and a converse H in H H and that

where  $\Omega_{i} = 1 + R$ ) is the enemyly mentioned writing group of night-translations as  $i^{i}(R, k0)$ .

Proof: Let 8 denote the indicates; and ignorator of  $T_q$ . These two  $\|T_q v\|^{\frac{1}{2}}$  is associated descending we have. For all H in  $S(\Omega)$ .

$$a \text{ dist}, \text{ $k = k = N$, $k = k = \frac{N}{dL} \left[ \sum_{k = 0}^{k} -T_k \theta_k, \ T_k \theta_k = 0. \right] } \right] \leq 0. \tag{3.9.51}$$

tat h, resets tre mill space of this quadratic form.

$$\theta_{\alpha}=101\pm10001$$
 ; + 38, 0 + + +  $\theta_{\rm b}$  fb; + + 60 ;

Let A or the approximation of BHD data  $BHD\partial \theta_g$  . Here by (0.11) who the behaves inequality there exists an inner appears  $r_1 = r_{e_g}$  on  $BHD\partial \theta_g$  such that

not all to, a se DOSI. Let be detecte the behavior betterned open by semilating DOSI/A. . Then, for all bids DOSI and the D. we have by 15.711 and 15.771

$$\int_{-1}^{0} \| \mathbf{A} \cdot \mathbf{1}_{-k} \cdot \mathbf{k} \|_{0}^{2} ds = \| \mathbf{1} \cdot \mathbf{k} \|_{1}^{2} - \| \mathbf{1} \cdot \mathbf{k} \|_{2}^{2} -$$
(3.12)

Letting t =  $\sigma$  , remarkaring that  $T_{\rm c}$  unstrumes accomply to zero, we see that there is an interaction expectating that H is  $L^2(H^*)$  (to give on DIME by

fur ett a n 2.

We expect  $C^{\dagger}(B^{\prime}, | h)$  on a subspace of  $C^{\dagger}(B, | h)$  is the status way: from we have, for each h to C(B) and  $h \in \mathbb{N}$ ,

where  $a_{\mu}$  is in  $L^{2}CR^{2}\partial\Omega^{2}\partial\Omega$  a  $8081^{2}$  . Thus for each 1 0.0 we have

so that  $\Omega_{\chi}$  is a unitary dilution of  $T_{\chi}$  on  $H_{\chi} = 0.7 ({\rm Pe}_{\chi})$ . In will do show later that this silection is minimal. It is, in fact, a measurement of the Large-in quanties (5.17) which we can propose be show).

set  $\xi \in \mathbb{R}^n + \mathbb{R}(1, \pi_i)$  by the ten two given by

$$\label{eq:signal_signal} \begin{aligned} \Pi_{\mathbf{q}} & \text{with} &= \begin{cases} a_{\{0,\infty\}} | \text{with} & \mathbf{q} \in \mathbb{R}, \\ -a_{\{0,\infty\}} | \text{with} & \mathbf{q} \in \mathbb{R}, \end{cases} \end{aligned}$$

for each o as  $\theta_0$  where  $y_{(n,k)}$  denotes the absorbantistic function of the interval  $\{x_i,k\}$  as  $B_i$ . Then k is a binumal followance decomposition of the position-denote toward  $x_i$  to  $x_i \wedge x_i = x_i \wedge x_i \wedge x_i$ .

for all a, 4 in Mr. The following street in analysi to proving theorem A. His

3.14 LEMMA Jun 11, a t a m') by a strongly continued surfagings of surtractions on a Millert speak is, and det it be dis processes. They find may be received at a Milbert space with respect to the new plant, for to be faile, by

the adviced birth? I do divenue.

not show their

Proof: Spen the greateker & in a should appealish, the senset 2001 is a Hillert. serves with respons to the same (5.16). On 11 on define the semigroup  $\theta_{i} = n + t_{i}\theta_{i}$ . The strong continuity of (in  $t_{i}$  incline the core for  $\theta_{i}$ ) break the absoluted the governors of the desertion and the proof to possible to

3.15 THEOREM Last it, a of the a R' Libera secondly conclusion community of autocolous, accounting assemply to sure, he a fifther space is. Let \$10,1 be a minimit written dilation of T, . They there exists:

(ii) a william space 
$$\theta_{i}$$
 and a blanched blacker operator  $A = 10001_{-1}(+|j| + h)$ .  
(iii) a map  $\theta_{i} + \theta_{i} + 900_{i}n_{j}$  satisfying  $\theta_{i}^{2} + \theta_{i}^{2} + h + h + h_{i}^{2}$   
for  $a_{i} \in 0$   $\theta_{i}$  and  $a_{i}^{2} + h + h + h_{i}^{2} + h + h + h_{i}^{2}$   
such that  $\theta_{i}^{2} = \theta_{i}^{2} + h + h + h_{i}^{2} + h + h_{i}^{2} + h + h_{i}^{2}$   
for all  $a_{i}^{2} = \theta_{i}^{2} + h + h + h_{i}^{2} + h + h_{i}^{2} + h + h_{i}^{2} + h_{i}^{2} + h + h_{i}^{2} + h_{$ 

Proof: Into the [1], ) the children of Research Little lake for the new C the minimal fallengers: communities (5.76), thus 12,771 to easily verticed to innegation-by-marks. See 5 to Sin 2 and berry, by Lemma 3, 55 the sail is in Sidily that the stileties (b) I is recisal the follows from (5.17) and the minimum of C. 3.36 RIMAR It to size precipts to treat the sent-group \$6 uning true In this case, let I be a measurable on the nittern scale a makand the nest group H . a a M | numbers at reals on pure or infinity. He

$$\frac{1}{1-1} |||x_{1}||^{1/2} + |||x - || + ||x - |||^{2} + .$$
(23.50)

$$\operatorname{function} + \left( \begin{array}{cc} a_1 \cdot b & \dots & b_n \\ 0 & \dots & 1 \cdot b_n \end{array} \right)$$

The unitary group  $(\sqrt{r})$  , is a 2-3 to refused to 1/460 by translations

for  $g_i$  v is X and i in  $h_{g_i}$ . Then  $(g^0)$  is a named anthony distant for  $f_i$  as the suffer  $g_i \in X$  is  $\{0, e_{g_i}\}_{i=1}^n$  in the surface own, in that

In this case we turn the streets Largesta aquition

$$d^{2}m_{1}+d^{2}m_{2}+\prod_{i=1}^{n-1}d^{2}d(i)+d(i)+m_{m}+Q(i)m_{m} \tag{3.80}$$

eather our all with the

## A. C\*-ALGEBRAS AND POSITIVITY

The moto recalls in this charter process a positive lines son I form use IT-algorith A time senter IT algorith it. If either a or B is commutable, then I is absolutely senting (Transcent A.I and 4.3). This allows us to picture service Salmana-type (remaintant in familiary A.4, and the identificant of fruits in familiary A.4, and the identificant of fruits in familiary A.4. In the proofs we make also by a characterization of the gammatority of an element of the entry UT-algorith, [Al son a IT-algorith S (Lemma 4.4).

We get by decising the presented desegnation of a regret conditioning positive way on a see Herrary algorith Changes 4.51.

If A is a "respect, and a is a positive integer, so set  $P_{i_1}(X)$  matrix the "algebra of all X = X settings over X under the column symmetres. If  $P_{i_1}(X) = X = X$ , if a is a system of matrix fact  $P_{i_1}(X) = P_{i_1}(X)$ , then the "algebraic isotropical  $P_{i_1}(X) = P_{i_1}(X) = P_{i_1}(X)$  which is algebraic isotropical  $P_{i_1}(X) = P_{i_1}(X) = P_{i_1}(X)$  for a sufficient space  $P_{i_1}(X) = P_{i_1}(X) = P_{i_1}(X)$  for all  $X = P_{i_1}(X) = P_{i_1}(X)$  is also a Problem and any we full Problem and on  $P_{i_1}(X) = P_{i_1}(X) = P_{i_1}(X)$  for all  $P_{i_1}(X) = P_{i_1}(X$ 

$$\|u_{i,j}\|_{2,j=1}^n \left( \sigma_j f_{j+1}^n \right) = \| \prod_{i=1}^n u_{i,j} \sigma_j f_{j+1}^n \right\|_1 + \|u_{i,j}\|_1 + h_{j}(n), \ (\sigma_j) \in \mathbb{R}^n \ ,$$

Let A world be "reignorus, and let I be a linear one cose A lets  $a_1$  by:  $T_{a_1}$  denote the position emoting 2 of  $T_{a_2}$  from  $A_{a_1}(a_2)$  into  $b_{a_1}(a_2)$  denote the linearity emotion on  $A_{a_1}(a_2)$ . Thus  $T_{a_2}$  denote the matrix over  $a_2$ .  $T_{a_1} \in \{a_{a_1}\} \mapsto \{T(a_{a_2}\}\}$ .

Suppose new E in a th-eligible. Then 
$$T_{\alpha}$$
 is continue distal to make any tw

 $\Gamma_{ij}(a,b)$  is a for each a to  $\Gamma_{ij}(A)$ . Then  $\Gamma_{ij}$  is a conjugate  $\Gamma_{ij}(a,b)$  is a conjugate matrix  $\Gamma_{ij}(a,b)$ . Then  $\Gamma_{ij}$  is conjugate the sum only if  $\{\Gamma(a_i^*a_{ij})\}$  is a conjugate matrix for all  $a_i$ , ...,  $a_i$  is A. In particular, T completely positive in extrinsion in  $T_{ij}$  positive for all  $a_i$  is  $T_{ij}$ . It would then summarisely conjugate the order attraction of matrix algebras matrix bloody.

16.1 LEMMA Can A be a Chroliphon, and a + Ca<sub>1.5</sub>2 Sc on allowers of m<sub>e</sub>(A).

- Eat. The following continues are appropriet;
  - 111 e 2 d ..
  - (11) I be a finite out of matrices, each of the form  $(a_k^*a_{k_1})$  where  $k_1,\dots,k_n$  is A
  - titil  $\frac{\pi}{4} \, a_1^2 a_2^2 a_3 + h,$  for all segments  $a_1, \, \dots, \, a_n$  in a.
- If it is commutative, then the show these annihilates are also applicable to:
  - tavo. I a J. t. a to for all seasons to ..... t. in t.
- (a) If for the O-algebra A condition (iv) to appropriate to confliction
   (ii) (iii), that A most be commutation.

Emony's

- (a) 111 et (11) lan etroney been minerary
  - ttil 4 fill to trivials
  - CELLY 0 fills. If we represent A on a Hilliest space H, we can december the first operate anthogonal substances. These we can decemb A law a spills vector field. Then

$$\begin{array}{lll} \mathbb{T} + a_{12} \ a_{2} r, \ a_{1} a + \cdots + a_{n}^{p} \ a_{1} \ a_{2} r, \ r+n & n \end{array},$$
 for all  $a_{1}, \ldots, a_{n}$  in  $A$ . Thus, since  $A$  is system  $\mathbb{T} = a_{12} r_{2} r + r_{2} r + n & n \end{array}$  for all  $a_{1}, \ldots, a_{n}$  in  $A$ . Thus, since  $A$  is system  $A$  is started as

- (c) (is) \* (iii) Payment \* = Coll, the authors further well-drip at telephy at a leasily content Septiant space 5.
  - then  $\| x_i, T_i, x_i \in 0$ , for all  $x_i, \dots, x_s \in 0$ ,
    - $\Phi = \begin{bmatrix} a_{i,1} & (s) & \overline{a}_{i,2} & (s, s) & (s, s) \end{bmatrix}$  for all  $\pi_{i,1}, \dots, \pi_{i,k} \in \mathbb{R}$ ,  $s \in \mathbb{R}$ ,
    - of 10, (all 2 2 to 0,00), for all 2 4 4,
    - of I ago tal agent agent to the next ago .... ag a de wit for
    - \* I v., v. v. v. v. v. all v. ... v. v.

Dis Hill of Divi on Arrivard.

101 Sequence A feet the property then 45 x a Syleb netterfier

$$\tilde{\lambda}$$
  $s_{ij}$   $\tilde{\gamma}_i$   $s_j$   $s$   $b$  for all  $s_i$ ,  $s_j$   $c$   $b$ . (4.1)  
then a to socitive. The D\*-eigenra obtained from A by adjoining an  
identity has the form property. Thus we can enter A to works. These

n e A. est compare the outries

which closely artifician (4.1), as that mits conting, that

$$(a_1 a_1 - b_1 b_1) = \begin{pmatrix} b_1 a_2 - 1 \end{pmatrix} \begin{pmatrix} 1 & b_1 \\ b_1 & b_2 \end{pmatrix} \begin{pmatrix} b_1 \\ -1 \end{pmatrix}$$

and in for 2 bbs. for all to be A. By spreetry cost ensure at A to served and the A to serve attack.

4.2 THEOREM CALL, it to 17-stigators, with a constitution. Their determinantly and position illness may from 8 from 8 for the completely position.

from for Toleran Co., 7 + P. (Al so southly then

Trem of T in was positive may from A more the god

Section

FIRE CITY AND DEED

$$\tilde{Y}(t|t_{12}),\tilde{Y}_{1},t_{1}\in \mathbb{R}, \text{ for all } t_{11},\dots,t_{n}\in \mathbb{R}.$$

The employees furious from communication

Position livery may wrote through the immutative to It objects and nationally are continuing positive, or the following theoree where

4.3 TACOREM dat A. is be threspoons with A association. Does may positive bloom map from a date in a completely precision.

Proof: By gaing in the Michael Sant, we can somewhite A to a Montgalay and Anno the given continue linear rap f view A late B in planetarily continues. We represent A on L<sup>2</sup>(E, p) for one localization senses associately with growmant L(E, p), and we have B to not on a military using it. Then nor all

is elemently continuous on  $L^{\alpha}(\Omega_{+},\omega)$  . Here there exists fif, gi to  $L^{\alpha}(\Omega_{+},\omega)$  such that

because 4, gooder, g) to templifyings, are now, 4) a 2 about to position.

Let  $\ell_1, \ldots, \ell_n$  be elements of  $\pi_1$  then for all  $d_{\pi_1}, \ldots, d_{\pi_n}$  by 1 $1 : \pi_1 : \pi_1 : ((\ell_1, \ell_1) : (i)) : \pi_1 : \ell_1, \dots \ell_n) : \pi_n$ 

$$0 = \int_{\mathbb{R}} d_{g} \tilde{X}_{g} \operatorname{n}[P_{g}, P_{g}](\omega) \geq 0 \quad \text{for element with } \sigma \text{ in } \Phi, \qquad (4.2)$$

o distriction was

 $A_{\alpha}(t)$ . Coppositive fact to a present binner may from a 21-elgaber x later another the electron t. If x is a normal element of  $A_{\alpha}$  then

there prevently

for all a fact.

Sport: If I is the commutative C\*-signiful gradient by a regard attend at their restriction of this is simplered profition, by Terror 8.8. Second at the small profit of the same section of the same second at the same second se

4.5 EDECLEARY for The a position contraction from a ti-algebra A finte anables ("volpotents, and a a neigh-adjoint alignment of A, such that tip?" a tip?. Then

\_

You all a in the

Weef: Fix 4. A state of PL and consists the amountained fair Plan A-

By Combinery 1.5, we never the all a few aid a in S. teamore this, of + S. My summerfulne, one so this, of + C by the County-Schwent Proposition applies to Downer St. hi nature. Then (A.M. 46) has smally from Jordes Lorentities.

The Stimmering representative recover our also be used to obtain a description of intuities partition remail magni-

0.5 Textifies for a to a non-Armone electron on a different opens  $i_{i_1}$  and  $i_{i_2}$  is to consider effects against  $I_{i_1}$  is a configurably practice alternative against non-employee 0 term 0.00, when there exist  $0.0_{i_1}$  is a 0.0 fix 0.0, 0.0 and above 0.0 and 0.0 of 0.0 or 0.0.

If a de definite-dimensional, we are since a most day due condensity to at most that of a complete performant out for a.

From: the two filtremoting secondation, we can atomic from a be a moment expressible with spatial vector F. Thus since  $\varphi(x)$  is a series and the A. Here and distance  $\{F_{i_1}: x \in A_i\}$  for F and  $\{F_{i_1}: x \in A_i\}$  for F and  $\{F_{i_1}: x \in A_i\}$  for all F and F are also as F and F and F and F are also as F and F are also as F and F are also as F and F and F are also as

$$\begin{split} & * \text{ simplifity } \text{ glast}_1, \tau_1 = * \text{ glast}_2, \tau_2 = - \text{ I } \circ \text{ attact}_1, \tau_2 = \\ & - \text{ I } \circ \text{ and}_1, \text{ at}_1 > - \text{ I } \circ \text{ at_quart}_1, \tau_2 \text{ glast}_2 = \\ & - \text{ I } \circ \text{ at_quart}_1, \text{ glast}_2 > + \end{aligned}$$

hirds f in a spells where for  $\phi_i$  we have  $\phi(x) = \frac{1}{2} \phi_{ij}^{\dagger} + \phi_{ij}^{\dagger}$  for all x as  $\phi_i$  was surject converges to the allowed converges to the acceleration of the same give the converging proofs.

#### 5. CONDITIONS EXPECTATIONS

As we mantisted in the Introduction, we wish to define a sizes of 5'-algebraic mass which generalize the sizes of constrained expectations of sizesized promobility theory. In this stanter, A will construct a letted C'signore, and N a helical C'-administrator A. In marit the constraints 'constitional expectation', we will impose the following amparation of a linear two of A with D.

- this. It is a projection of new me not that his, I = 5,5
- CERT May May 11 Min, 1910, p. 192 of July 10, A. or englockweller.
  Make a Main For STE of In A. see in to fit.
- of the R in commissionly possibles.

In an easily servited that these properties hold by the following exemption:

- 5.1 Examples: 1. Let Co<sub>1</sub>: 3 o 61 be a month of content of projection. In a 64-elegant A. Let o · 50<sub>4</sub> and let M(a) · 50<sub>4</sub> at a 61 o 10 a. Committee of 10 a projection of 4 onto the incarrection of 10 a state the column committee in. 1 o 61<sup>2</sup> (a o 6 | ep. \* 0<sub>4</sub> a for all 1 or 6).
- Let A set B be W<sup>\*</sup>-algebras, and tenerity S with 5 e S as a W<sup>\*</sup>-sucalgebra of the W<sup>\*</sup>-isonom product A = B. Let \$ be a mornal state of A, Then \$ e 1 Le a projection of A = B sale N; it is the class of the injection of states?

Insectarly for C\*-eighton with special or windows toront product. I

the moon result (Theorem 5.2) is that DEF solution both OCF and DESac are than bed in:

- 5.2 DEFINITION: Let 8 be a world C\*-acceleptor of a mind C\*-algebra A. A conditional agreements to be a projection of norm took from A code 8 outs that Mrs. 1 + 1.
- Taking  $\Gamma = 0^{-1}$ , we ass in the following theorem that a conditional association is communically complete a section (CE2), and fat the module

wanting presently foliable

5.3 Integers the non-section of section of sections of sections in the section of sections of sections of sections of sections of the section of the sect

Proof: Dec N is prestive follows that will be appropriate the name that a series of the same that a, B, D are all one formers algebras and D is consider D to same all one formers are discovered by a series of the same that th

the theorem tolland.

#### 5. FOCE BRACE

In this observe we result one observing results about fack speak, and downess the faces and furnise fact spaces actor naturally with the Robuston documentations of mortals applicate marginate forestions.

Let he a hilbert speed, for each smallist integer h. Let  $N_{ij}$  manufallist integer h. Let  $N_{ij}$  manufallist integer has been described. (Others speed against by a single self-sector 0, bellets the first vector vector. For your FDM is then defined as

Let T to a constant on from T to marker billions open C. Let  $T_{\mu}$  describe the constant of T from  $H_{\mu}$  and  $\pi_{\mu\nu}$  are set  $T_{\mu} = 0$ , so SM4D/o Fift to so the construction from Fift laber Fift given by

The adjections in the following have one than making writing,

6.1 LEMMA 1. F to a function on the enterior shake objects are killert apares and above morphisms and contractions:

2. Finn Is the projection on the look names easter to

to the a major

we will not me interported in the whole of Fork space, and brily in two of the extractor, turning the Boson and the Parelin four appears.

For each projective integer is, the fig density the great at all particulations on a symbol - Those is a majoral relately action of fig as the object opens of plane by

$$m_1 + \dots + r_p = r_{p^{-1}(p)} + \dots + r_{p^{-1}(p)}$$

the odd + to by and by income the ti-

6.7 Trans. (at T as a contraction interest filters moves + and h). West In

Interretical the actions of  $\theta_m$  on  $\theta_n$  and  $\theta_n:=T_n t+1T_n$  for all t in 2n; and  $t_n:=1011^{-3}$   $\frac{1}{4}$  and  $\frac{1}{4}$   $\frac{1}{4}$  and  $\frac{1}{4}$   $\frac{1}{4}$  in the projection from  $\theta_n$  entry the

there  $\theta_{ij}^{R}$  of symmetric behavior of degree  $s_i$  . Symmetric for Second fact space  $r^{R}(H)$  to then defined by

$$\theta^{A}(t) = \phi^{a}_{tot} \theta^{A}_{t}$$

Now let T: H + E be a contraction. If follows from denset 0.7 that  $T_n$  was  $H_n^0$ . Into  $S_n^0$ , and so fit (regard a conjugation  $T^0(H) + F^0(H) + F^0(E)$ ). Agree that  $F^0$  interior  $T^0(H) + T^0(E)$ . Agree that

Let plot denote the eigenture of the permaneter  $\pi_i$  and let  $\mathbb{R}_n = \operatorname{fid}^{-1} \prod_{i \neq i} \operatorname{o}(\pi^i \pi_i)$  than  $Q_n$  to the projection from  $H_n$  and the appear  $\pi_n^i$  of antisymmetric tensors of degree n coasts. Antisymmetric for Perminel Fock space  $F^0(\Omega)$  is defined to

$$f^{\mathcal{R}}(u) = -u^{\mathcal{R}}_{n-1} \cdot u^{\mathcal{R}}_{n} \ ,$$

Again. If  $\theta : H = 0$  is a contraction, is father from Remark 6.2 that  $\theta_0$  maps  $\theta_0^0$ . Note  $\theta_0^0$ , and so fift fraction a contraction  $\theta^0(1) = \theta^0(1) + \theta^0(0)$ , and  $\theta^0$  inheritable the brownish (6.7) to 10.21 from the function  $\theta$ .

For one later in the short of some digetrus naturally associated with the flox agazes, we relate the flox species to deproperty impospecitions of assocounties certains bereats.

First we less at Brace fock space. Let n be a mediar be the eightest space  $H_1$  and let  $H_2$  denote the enthal before product the  $H_1$  and the highest late in  $H_1^{N}$  , satisfy  $H_2 = 0$ . Then  $H_{N_1} H_{N_2} \to + \times H_1 H_2^{N_2}$  for all  $H_1$  is  $H_2$  the there is  $H_2 = 0$ , and  $H_3 = 0$  denoted by the possibly relative terms  $H_1 = 0$ , and  $H_2 = 0$  on  $H_3 = 0$ . Then the form  $H_3 = 0$  and  $H_4 = 0$  are the first than  $H_4 = 0$  and  $H_4 = 0$ .

5.3 Exercise The rap two + H + r<sup>2</sup>(H) is a minimal subsequence decomposition for the position-definite immed in n = septe, hr on H = H. Accepte, Cop(H) i = h = H is a linearly independent cotal set of vectors for r<sup>2</sup>(H). Proof: That the (+) is a filtragonal promposition for the lagrant cos + + , + >

fullies to companyions

fannality is a prospercy of the relative

$$\lim_{m \to \infty} \operatorname{Exacted} \big( \lim_{n \to \infty} (n + 1)^{\frac{1}{n}} \, \eta_n \, + \,$$

It remains to press the esserted finite transpositions. Repose  $h_1,\dots,h_n$  be a set  $a_1,\dots,a_n$  by a settlety  $\prod_{j=1}^n a_j$  for  $h_j \geq n$ . Thus,  $a_0$  the reproducing presently  $\{0,4\}$ ,  $\prod_{j=1}^n a_j$  depths  $j,n \geq 0$  for all the N set k of N, but  $e^{2N}$  is an eigenvalue of the Hamon secretar  $\frac{1}{2N}$  corresponding to the eigenvalue A, and eigenvalues representing to distribut eigenvalues are Hamon's distributed algorithm and Hamon's distributed and A is a function A. Hence the set A, is broad to characteristic absolute to the A is a small A or A.

6.4 EDMOLLARY There is a material identification of the bit with the a third materialists.

and:

Proof: This is a communical of the uniquessis of a strain! Address theme postfolio Liene 1.41, Trainin 9.3, and the salation

\* Explicit \* Cools, 
$$I_{i}$$
 Explicit \* Explicit \* 
$$* \exp \left\{ \left( \mathbf{k}_{i} + \mathbf{k}_{i} \right), \; \mathbf{k}_{i} + \mathbf{k}_{i} \right\} \right\}$$

meet as consider Payminn fack modes: the  $t_1,\ldots,t_p$  like in the wilthest sames  $v_r$  and define  $t_1 \in \cdots \in t_p$  by

Walter 22

Now the resp.  $(t_i^*)_{i=1}^N = r_i = \dots \wedge r_n$  of  $n^*$  and  $n_n^*$  is a minimal example as association for the position-variable versal  $(t_g^*)_i (t_g^*) = \exp(-r_g, t_g^*)_i$  on  $n^* \in n^*$ .

the adult for times as well stone him justices a cost a war times in on time at mathematic attacks.

## 7. REPRESENTATIONS OF THE CARDINGON, COMPANIATION PELATIONS

le tres angles ad totall and religious and formulas accounts at its tra countrie compagness existings. The acts length (Theorem 7.1) in a comsche-lighter of grounding Assistate.

int o he a Hilbert mode: in Theorem 0.5 ms could been best C-1 At A marked Colomorous Assummation for the graphics-districts retrail and C+ \_ At he M - No. Scholars now the Directly Redoperant total and as normalized vectors \$100 = Capth Tat make End 7 At 1 to a 10 ...

Thirl

thr will a, a little us that their is a minimal telescope accommunities for the

In other words,  $h^{k}(0)$  can be insensitive and, the represental North Wilheld matter than the last extent (0,1), then that the Eq.

series a martipler in we seek of group representation tracty.

7.1 Designation into the control of a graph of a confidence of C to a ment of the control of the

$$41_{P_{2}}$$
  $44 \times 10_{11}$   $44 \times 1_{1}$  (P.9)

We will do  $\theta' = \theta''$  to the  $\theta$  to expression of a group 0 white modifies in the  $\theta$  map 0 from  $\theta$  bett the unitary repression on some filters space that that

the will  $g_{i}, g^{i}$  in  $G_{i}$ . A projective organization is a presentation for some multiplice  $G_{i}$ .

7.2 Regard the analysis (2.1) and (2.4) of a material one early semilitrary and (2000) for the estatement of a parameters have analysis, at an expension of the parameters are analysis, at an expension of the parameters are analysis.

Since [Tin] | n < n) is a Lineary independent total set or correction section. Over it is well-needed unlikely skill, for each n in v. hash long

for all 8 In H. Personn, Mill stage the coventage constation relations:

- 7.3 REFINITIONS: A representative of the CDN transmission commutation relationship is a projective representative of a Millert space H with multiplier, a given by (7.2). The C'-algebra generates by a representation but the CDN is described by MPI. Then with 15 the terre-classe linear space of the architectum (ATR) is a will. The representation of the CDN continues up (7.2) by solice the first spectrosticals. A representation of affect CDN is said to be non-edge-lice of the map in MICO is beauty sufficiently of the CDN is said to be superiorably. If the strongly continuous on all finite-commutation describes of No. 12 these case, by Store's theorem, there is for each a 30 to a said-edge-continuous of MICO.
- 7.4 REMARKS 1. We your representation to envestigation.
- It is described a restrictive to regard the first operators fill on the recomm successful of a restrictive probability theory. They satisfy, at least formally, the communicative relation.

as a compensation of the wird natisfying (7.8).

 Seffering the annihilative operator also by also + 1<sup>-1</sup>0000+ asserble and the proof-to-operator of the by after the 1<sup>-1</sup>10101 + 201001, we have

The Heyl operator with + a<sup>HE(t)</sup> one be written in turns of graphic.
 attenues or creation execution as follows:

7.5 DEFINITIONS A regularization what the CDA come W is said to be repulsively thems oxists a limits vector 0 to M. man that

We tree call \$ the number rector of the impresentation. The gameroting functional a prin cyclic recommensation whaten number sports \$ in the faulties needed on H by

- 7.5 REPARCS 1. We shall not libeared F.S. that the First depresentation in Laurence Teles toward non-same making in special. In particular, the fight vaccous vector in Special.
- 2. The generating functional to seeful for the excitation of the expectation outlier of contemp specially as eligible in the field territory. In the new of sort-singular representational in the various state of a special numeroscience. For a non-singular representation the generating functional is given by

contigues to the contextantial function of a projectivity distribution. The context will be strongly and to December 5.6.

A preventional of the value of cyllic representation was prevent marful:

7.7 Definitions that a so exclused spaces, a consecutation work the consecut to make to be supplied if there exists a V to MIL,  $\mu_{\rm e}$ ) but that

Let (u,V) be a Conjutal separatrication of the SSR part  $H_{\nu}$  and define a map H ( H=B(u) My

then first called the generating function of their.

The fyllowing bloomer, which is alsoly a "projective version" of the Recourt by "mage exposuration theorem for groups, provides a succeeded action of powerables functions:

7.8 THEOREM And H. H be Williast spanner, and H at may from H (NO) DEK).
Then there solute a Y-spoil's expressionation (M.VI housing h as the percenting function (f and only if the farme).

to proceeding-definite on n = n. In this case in, it is subjectly distantional up to switting equivalence; the exponentialists is in non-chaption of and only if the map of the + to 3 is worthly commission on it for all is, it is n.

12,21

Proof: Let it be the gradiating function of a broughts representation. In it's

and as 17.00 to a pastine-estable termin. Conversely, assess the samual 57.00 to positive-definite approx entered fallegame communities first, so that MINOWALL + Dis - Of with 10.

Fig. by the uniqueness of the missest delengates assumposition, there exists a wall extract private  $a(x^{\alpha})$  such that

It is possily ones that if is a representation of the US court, with equils have  $\theta$  - Mink, such that it is five governing function of (x,V). The remainder of the grand is though

They we was that the fact representation of the fift is chiefended by him generaling functions;

form generally, we have:

7.5 THEOSEH For each h is believe arrives a cyclic everyoccurrence w<sub>k</sub> of the COS over it, action on a McDirect space if kind, with equilibrium and several generating functional u<sub>k</sub> given by

$$y_1(t) = \exp(-1.1 t)^{3/2} \times 0.$$
 (2.11)

The experimentation we in terrelativity.

From fig. . We can check directly that  $s_k$  as possible definite, and then easily finance fig. . Alternatively, we not easily make a splitt improvedable:  $\theta_k$  supplies (2.17) as governing functions. . We obtain the source observable: Let be a margingular as if first is, so stillings may excludying  $J^2 = 1$  and a  $d_1, d_2, d_3 = 1$ , and  $d_1, d_2, d_3 = 1$ . Change  $d_1, d_3 = 1$  such that  $d_1, d_2 = 1$ ,  $d_1 = 1$ , and  $d_2 = 1$ ,  $d_3 = 1$ ,  $d_3 = 1$ , and  $d_4 = 1$ .

There's a detroit on

to a cyclic representation of the DIS with cyclic matter  $H_{\chi} = 0.8$  D. An only collaborator when these

= 
$$u_i(x)$$
  $u_{i+1}u_{i+2} + \exp(-x) \int u_i^2 dx dx$ .

To the list  $H_{k}$  is an expension terroscopic for some  $k \ge 1$ , it is shough the a tensor general expension to one this for the more where H is a modernization Pilleri space, which as involve that for H is this name, exception the further she derivating representation of the time said E, defined in  $L^{2}(H)$  on follows:

$$(a_1^{\dagger}a_{-1})(a_1^{\dagger}a_1^{\dagger} - a_1^{\dagger}a_1^{\dagger}a_2^{\dagger}a_2^{\dagger})^2 + a_1^{\dagger}a_1^{\dagger}a_2^{\dagger}a_2^{\dagger})$$
 (2.43)

Let T be an element of  $h(T)^T$ , where h is the Scheödinger remonstrative (T,T). Then, in parameter, T isometer with h(T,T) for all a is M. But h(T,T) is maintenination by the function  $a = e^{h x_0}$ , a denotes argument series T terminate with multiplication by an entirony bearest emissions function. In other words, A is in the expectate of  $T^T(H)$ , that  $L^T(H)$  is a morphism smaller.

wen becomes algebra (40.3); hence T is itself a multiplication operator. Moreover, T connectes with Wio,pi for all y in N. Bet Wio,yi to a formulation approaches, and as T must be multiplication by a constant function; hence the Samerdinger representation to Erreducible.

### 8. REPRESENTATIONS OF THE CANONICAL ANTI-COMPUTATION RELATIONS

De thuster I we within the CER field increases this through their departments to the increase of the second terminal convenience, nices the Hill are recomments of examined. Nevertheless, this produces carries a formation granted by the producting transform we very second in computation. By this compare we take to committee with recommendation or the production in very different. The field secondates for recommenting transfer, will there in an electric endings of a discrete group (Theorem E.A.) which will copy sected in comments.

8.) DEFINITIONS that it was military species, a representation of the opposited and communication relations over a sea serjugate linear map of from a late, the Southest linear specialists as some eliment special was sense that opposited was sense that relating the opposited was sense that it is not a sense that the opposited was sense that it is not a sense that the opposited was sense that it is not a sense that the opposited was sense that the opposite that the o

$$a(x)^{\alpha} a(y) + a(y) a(x)^{\beta} + c(x) = 0.$$
 (A.1)

to all f. g in H. The nere algoring of the ligher more of the momentum in Latel : n a H and Latel for the H in a Chalgebra mention of ANIL. As a Before access, Mini in lightering groupper on the Main Association

work by a constraint on the smaller monty willy, by the wrote-birm necessaries

- 8.2 Reposed In follow from that that  $\| \sin t \| = \| \sin t \|$ , areas without  $t \in \mathbb{R}$  as that electric  $t \in \mathbb{R}^{n-1}$ . Consequently,  $t \mapsto d(t)$  is substitutely continuous. Therefore, if d(t) is an enterposed that for it, we have also  $t \in \mathcal{C}_{t,t}$  as d(t) in the content of the tenth of the  $t \in \mathcal{C}_{t,t}$  and the  $t \in \mathcal{C}_{t,t}$  is the  $t \in \mathcal{C}_{t,t}$ . Then the  $t \in \mathcal{C}_{t,t}$  is the  $t \in \mathcal{C}_{t,t}$  in the  $t \in \mathcal{C}_{t,t}$  in the  $t \in \mathcal{C}_{t,t}$  is the second of the second of the  $t \in \mathcal{C}_{t,t}$  in the  $t \in \mathcal{C}_{t,t}$  is the second of the se
- 8.5 Learn. Let (a, ) sectofs the discours receive of the two.

$$f(X_{m}^{(1)}, X_{m}^{(2)}, X_{m}^{(2)}, X_{m}^{(2)}) = f(X_{m}^{(2)}, X_{m}^{(2)}, X_{m}^{(2)})$$
(16.11)

for each out to be put

$$\theta_{p_0+q} = \Omega(a_0^p + a_0^p), \ \theta_{2q} = a_0^p + a_0^p + a_0^p .$$
 (8.6)

then it is in a sequence of antitaries naturities

$$B_{\mu}^{\mu} A_{\mu}^{\mu} + A_{\mu}^{\mu} A_{\mu}^{\mu} + B_{\mu\nu}^{\mu} A_{\nu}^{\mu}$$
 (9.00)

Conversely, if  $\{u_{p}\}_{p=1}^{NN}$  is a sequence of arthress management (a<sub>p</sub> =  $j(u_{pp})$  ) is  $u_{pp-1}$  ) +  $v = v_1$  ... At satisfies the relations (8.5) and (8.4).

. Define giring further, we like at an absorber the first representation of the EML.

8.4 Example that  $\tau$ ,  $e_1$ , ...,  $e_n$  are elements of a villier, quarter, that  $t = 1000 t_1$ , ...,  $e_n$ ) and and  $t = t_1 + t_2$ , where  $t_1$  is an t-such  $t_2$  in t. Then

$$F \wedge h_1 \neq \dots \wedge h_k = F_k + h_k \wedge \dots \wedge h_k$$

and my by constituting externiously,

If  $\sigma \times \sigma_0 = \dots \times \sigma_m \| T + \| \| \sigma_0 \|^2 \| \sigma_1 + \dots + \sigma_m \| T + \| \| \sigma_1 \|^2 \| \sigma_1 + \dots + \sigma_m \| \sigma_n \|^2$ . Thus there is a well-decided linear copy descripting  $a(\sigma)_{\sigma_1}^{\sigma_2}$  from  $\sigma_0^{\sigma_1} = a_1 + \frac{\sigma_1}{\sigma_1} = a_2 + \frac{\sigma_2}{\sigma_2} = a_3 + \frac{\sigma_2}{\sigma_2} = a_3 + \frac{\sigma_2}{\sigma_3} = a_3 + \frac{\sigma_2}{\sigma_3} = a_3 + \frac{\sigma_2}{\sigma_3} = a_3 + \frac{\sigma_2}{\sigma_3} = a_3 + \frac{\sigma_3}{\sigma_3} = a_3 + \frac{\sigma_3}$ 

$$i(t)_{ij}^{m}(t)_{ij} + \dots + i_{jk}i - t + i_{ij} + \dots + i_{jk-1}$$
 (1.21)

-9816

You all G. & traffs. He olde have

to all r, q to m, since  $r \wedge q + q \wedge r + (r + q) \wedge (r + p) = 0$ . The current taking of the TMM extrements q (r, r) to exist the FASS approximation.

8.5 THEOREM: The Note the content of the CAR of Christian for the elegater Alice glove by the opinion from the colline to foliation the foliation of the elegater Alice glove by the opinion foliation opinion opinion by successful arrays the investig. Thus, if a line was alocally with a layer array alice weren the investig. Thus, if a line was alocal to delth with a layer was alocal to field the identity. See have alocal to field the line away the washeld broads the identity. Also, by the breads investigle, a washing overly blow washeld to complete the identity, and to alone the identity.

FIGURE IN DESCRIPTION TO THE PROPERTY ASSESSMENT OF THE CAR OF BOOK IN

8.5 THEOREM Lax is be a stributed open, for a bit a expression of the LMS over  $H_1$  and LAX is in the CC-algebra presented by  $\pi_1$ . Then there exists a presidential expressionation of the group  $\nabla x_{3,1}$ , where H: at  $\pi_1$ , which also presents  $A(H_1)$ .

Second: For notational noncollation on will enture truth this companies, but the in our versions  $p_1$ . Let  $\{a_{p_1}, p_2, \dots, p_n\}$  be an extraordinal limit for  $b_1$  and  $\{a_{p_1}, \dots, a_{p_n}\}_{p_n}$ . Then, by Lemma 8.8, there are important  $\{a_{p_1}\}_{p_1}$  of intrations which depreciant the  $a_{p_1}$ : If  $p_2 = \{a_{p_1}, \dots, a_{p_n}\}_{p_n}$ . The interaction  $p_1 = \{a_{p_1}, \dots, a_{p_n}\}_{p_n}$  is a wilson to the  $p_1$  for  $p_2$  of  $p_3$ .

$$\theta_{a} = e^{\frac{2\pi i}{2(a+1)}} \cdot \theta_{0}^{\frac{2}{2}a}$$
, (4.1)

Then we never

$$a_{\mu} b_{\mu \nu} = 1(a_{\nu} a^{\prime}) b_{\mu \nu \mu} + 1$$
(6.10)

seem to 21 a multiplier being union by. Thus Airl to preceded by the projective representation (d.:t) of the discrete group \$.

#### 9. SLAWW'S THEOREM

In this elector we story projective equivamentations of groups, to style to promitted two representations of the DS (see or the DM) over a fixed Hilbert those generals incomming C'salphras.

9.1 Definitions transfer a benefit emport stables grain 5 stin continues satisfaire to "broadcast transfer a benefit embrace of generality, since is equivalent to proper the salid benefit or less of generality, since is equivalent to proper the placette resident. Let a to training from 8 lab be settled, queryears or \$1.55 given by

Then  $\theta$  is a strongly continuous transmission amplied the a-region degree region. It is entury, become the irrar product as  $L^2(\theta)$  is tende with request to these entures as  $\theta$ , while is translationally invariant. The regions expressed tables  $\theta$  or  $\theta$  is the in-region expressed as the particular case D which is P or P in the in-region expressed as the particular case D which P is P in P.

9.7 Lemma Let 0 be a Totally employ addition group, and a a medicanon multiplier for t. Let 0 be a elements continued comprehensiation for a or a dillions space it. Then the possessessions is a conf 0 is 1<sub>g</sub> are antirerily deployment, where it is the regular expressionation, and it she broughter representations.

People Intentity  $L^2(M) = 0$  which  $L^2(G, n)$ , as in 10.1. Define the unitary operator A in  $L^2(M, n)$  by (Arright - n) where n interior straightforward consistency yields

9.3 DEFINITION Let 8 be a binary organic shallow proces from the place \$ of continuous characters on 8 can be produce with the placetime of a Boarday content effects grown. The fourier transform is the windary may the \$7 of L<sup>2</sup>(8) once think, where or 1<sup>1</sup> or 1<sup>2</sup> in given to

where  $\Delta g$  is rear monorm on E. The fourter transform apparents a writery equivalence between the regular representation H of D on  $L^2(G)$  and the representation H of D on  $L^2(G)$  and the representation H of D on  $L^2(G)$  and H of H is a  $L^2(G)$  given by

for all a to E.

- 9.4 LEMM. Let 6 be a locally compact abelian prosp, and a a continual multiplier for 6. Then the I'velpoine generated by the te-experientation 8 a s and the C'velpoine generated by the te-experient parameters of the contribute generated by the te-experient transfer. In our communities 8 and 10 m 1<sub>0</sub> generate transfer I'velpoines than two posets follow from the posets following Definition 8.2 and from Lemma 8.2, along articles of the Lemma 8.2.
- 9.5 Difficities not to a something remove abolish group, and to continuous and tiplies for ti. Then there is a consented temperature y error 6 letter \$1, temperature transmitted was a given by

9.8 LEMM. Express that the natural map  $\chi$  :  $0 - \bar{0}$  to deposition. Since  $\chi(1)$  for dense in  $\bar{0}$ .

From  $f \in F_0$ ,  $H = g(X)_0$ , then  $\widehat{S} H^0 = (GH^0)$ , where  $H^0$  is the destribitor to G of H. (or of the change  $\widehat{S} H$ ). Due  $H_0 = (H)_0$  alone g in impossive, where  $\widehat{g} = \widehat{L}$ .

9.7 Leppe. Let u be a lambly ampost cheller group, and for u be a new timena matipation for u, each that the assertant natural map of a mino 5 de injective. Let u be a corresply medianese becapementation of 0; then the transporter presented by 0 in immerping to the transporter presented by 0 in a sufficient to the transporter presented by 0 in a sufficient presented by 0 in a sufficient presented by 0 in a sufficient presented by 0 in a superior of transporter presented by 0 in a superior presented by 0 in a superior presented by 0 in a sufficient presented by 0 in a superior or the first order to the present in the step that the second by 0 in a sufficient in the superior of the present in the step that the second by 0 in a sufficient in the step that the second by 0 in a sufficient in the second by 0 in a su

Packing together the conclusions of amount 6.4 and 5.7, or beaut

9.8 THEOSEN into he a locally compare whether group, and he a morphocus substitution for a most than the uncontrived national map  $g : G \to G$  in dejection, let  $G^1$  and  $G^2$  be strongly continuous necessarisations of  $G_n$  and let  $G^1$  and  $G^2$  be the  $G^1$ -weighton which they provides. Dues there exists a single formorphism g from  $G^1$ -way has  $G^2$ -weight had  $G^2$ -from  $G^1$ -way and that  $G^2$ - $G^2$ -substitution  $G^2$ -from  $G^2$ -way had substitution  $G^2$ -from  $G^2$ -way and that  $G^2$ - $G^2$ -substitution  $G^2$ -

he the spots framewith to the events which I be a mighter appear to se give in the displace topology in given he sees it bookly compact.

9.9 EDSP(E fine 0 to to a millor again a subsect with the educate transform, see office to the entertainty.

then a to a multipliers. The enumbered expansions for  $x_{n_i}$  of 0 ante  $\hat{x}$  is given by

ment in electry injectives. Thus from Preprint \$16 we have

9.10 THEOREM — Set to be a Millert appear, and fact  $u^2$  and  $u^2$  by representations of the CD entering. Let  $u^2(n)$  and  $u^2(n)$  be the CD-algebraic which they presents.

Then there exists a innocentrally unique) theoremists at  $u^2(n) = u^2(n)$  such that  $M(u^2) = u^2(n)$ .

place would be the the

9.11 Example falls G to to \$25 \$2, and h to be the multiplier melium to 18.21.

Then the natural cost to  $x_{i_1}$  is given to  $x_{i_2}(y) = (-1)(x_{i_1}^{i_2} x_{i_2}^{i_3})$ , and this is injective. Thus from Tensions follows become

9.12 Integers to be a Millert space and let  $a^2$  and  $a^2$  be expressedations of the tile cose by the  $a^2(t)$  and  $a^2(t)$  and  $a^2(t)$  as the C\*-elliptics which they present.

Then there salate is Assertantity animals the completion  $a: a^2(t) = a^2(t)$  such that  $a(a^2(t)) = a^2(t)$ 

year mock in the fall

## 10. COMPLETELY POSTTIVE MAPS ON THE COL ALGEBRA

Now that we have completed the mentionalizes of the C\*-algebras of the CS and CSS one CSS team a siliest same A. we have to the study of train companion, the completely positive sups. In positive are a prescripted train someoness, whose an exact free maps, which is positive at the filters space at. In this company we trust the III algebra with.

The fellowing simple fact will prove to be assetule

10.2 THEOREM can he a milborr again, 5 of C\*-eligibra, and 5 a map from n into 5. Then bloom sudate a completely precisive may 7 t 2001 + 11 mast that 100(0) = 90.51 for all n in t, if and only if the following bernell is positive-depicte on n + 10.

Proof: The result foliose from Thissens T. S. and S. T. Alternatively, recting that MDH is the almost linear open of the Witherton Called I w a His one can expense to EC.

The following in the most general result or usual-free completely position men which we will read:

10.2 THEOREM LLT H. N De millers opened, 3 of Common map from H. Calo X., and F of map from H. Calo E. Then there makes a programmly position map. 1 - 1001 + 1011 month than

for all to to u. Of and only if the following bornet is postelou-definite on the to

France: Derive to 1 or - with my time - with tries. Then for all n. 4 is M. am

Min - Highs, sile with the min in - black, sile with, say;
Then EF the terred (10,0) is session-defeate then as in the warra;
No Ker Min - High, sile and the economics of the sequind armidish position.

sep 1 is a consequent of Decree 10.1. Consensity, if the series  $(a,a\mapsto B(a)a,b)$  is positive varieties, if has a Kolongorea consequenties (a,a), as true

and the repull fallow.

Je Henner follow help that for each distance again 4, and each 6 s. 5. Here exists a split depresentation  $(\mathbf{v}_k, \, \mathbf{s}_k)$  of the CDS over H, with generating theorizons  $\mathbf{v}_k$  given by

The Feat generaling Associated is get by purising  $\lambda = 1$ . The consequentiation  $W_{i_1}$  with an two according to and in thresholds. We will denote by  $W_{i_1}(M)$  the superiors  $C^{i_1}$  algebra generated by the representation  $W_{i_1}$ . Since  $\psi_{i_1}(M) = 0$  =  $\psi_{i_1}(M) = 0$  for follows that we can identify  $\psi_{i_1}(M) = 0$  will with  $F_{i_1}(M) = F_{i_1}(M) = 0$  with  $W_{i_1}(M) = 0$  and those  $W_{i_1}(M) = 0$  with the section  $C^{i_1}(M) = 0$  with  $C^{i_1}(M) = 0$  with in the  $C^{i_1}(M) = 0$  with a significant product C(M,M), written  $W_{i_1}(M) = W_{i_1}(M)$ , which is the  $C^{i_1}(M)$  denoted by the eigenvalue by the eigenvalue by the eigenvalue C(M).

10.3 Theodom such to a desployed positive map u<sub>k</sub>(t) : u<sub>k</sub>(t)

$$u_{\chi}^{(\pm)} (11 u_{\chi}^{(\pm)} (12 + u_{\chi}^{(\pm)} (1) + \frac{1}{2} (||| u||^{\pm} - ||| \tau u||^{\pm})$$
 (16.2)

for all a to a. Mesoner, w, in floritorial:

$$u_i(t|t) + u_i(t|t)e_i(t), u_i(t) + t.$$

25 has the adeletional perposetion.

$$\Psi_{\alpha}(\mathbf{x} + \mathbf{y}) = \Psi_{\alpha}(\mathbf{x}) + \Psi_{\alpha}(\mathbf{y})$$

si, (ii) to the state determined by ta,

Proof: we emply therem 13.1. Ownsing that the kernel which accepts in small non-marketic, to prove that w<sub>3</sub>(1) is completely contribe. The rest of the proof in classific forcers. 10.4 Condition to granutous plantices is in translate water s<sub>i</sub>(t) poman perfection t.

People for each contraction I also to a topic

$$\mu_{k} = \mu_{k}(t) = V_{k}(t)u_{k}(t) + u_{k}(x,t) = u_{k}(t) + u_{k}$$
.

10.5 Regard to the constructed  $s + \tau$  (the fore parameters), there is a number to determ the function a set the fore execute  $\tau$ . In one that, detail, that is such contention t + t + t their contemposes a number of the

PITO I FOR - Dist many their

But on tace here then there is a runninthly positive may at? | such that.

Thus, for all 7 to H, or have

there is an embaging sustrainties  $F_{\gamma}(1)$  in the governed cost in which  $\lambda \in \Gamma_{\gamma}$ 

10.6 Theorem can a a + be fixed. Let  $v_i$  a be although species, for some contrastion  $i : i \mapsto 0$  where so a consecution  $i : i \mapsto 0$ , then not show

$$F_{k}(\Omega) = F_{k}(\Omega) = F_{k}(\Omega) = \frac{1}{4} \left( \frac{1}{4} \left( \frac{1}{4} \left( \frac{1}{4} \left( \frac{1}{4} \left( \frac{1}{4} \right) \right) + \frac{1}{4} \left( \frac{1}{4} \left( \frac{1}{4} \right) \right) \right) \right)$$
(10.41)

for all a sa m. Horover, F., in famourist:

It has the editional properties:

$$F_k(t) = F_k(t),$$
  
 $F_k(t) = 12 + F_k(t) + F_k(t),$ 

F,101 fo the projection on the section.

Treate: Our mate scale 4,140 on their

$$\begin{split} \|\{u_j(t), \psi_j(t)\}\|_{L^2}^2 & = u_j(t) \|v_j(t)\| \|u_j(t)\|_{L^2} \|u_{i_1}, u_{i_2}\|_{L^2} \\ & \leq u_j(t) \|v_j(t)\|_{L^2}^2 \|u_{i_1}\|_{L^2}^2 \quad \text{by the Source Lemman Like} \\ & = v_j(t) \|v_j(t)\|_{L^2}^2 \|v_{i_1}\|_{L^2}^2 \\ & = v_j(t) \|v_{i_1}\|_{L^2}^2 \|v_{i_1}\|_{L^2}^2 \\ & \leq \|v_j(t)\|_{L^2}^2 \|v_{i_1}\|_{L^2}^2 \end{aligned}$$

is one thin is a well-uniqued contraction  $F_{\lambda}(T) + F_{\lambda}(0) + F_{\lambda}(0)$  , and that  $F_{\lambda}(T) \otimes G_{\lambda}(1) + G_{\lambda}(1) \otimes G_{\lambda}(1) = 0$  for only preserving assorbing which is not invasible expension in this  $F_{\lambda}(T) \otimes F_{\lambda}(1) \otimes F_{\lambda}(T) = 0$  . This has an extitled by obtaining  $F_{\lambda}(T) \otimes G_{\lambda}(1) \otimes G_{\lambda}($ 

Thus we have a function  $W_k$  from the undegrey of fullest annual and contractions to the enterpret of instal  $k^*$ -algoriths are installed positive investigations and the property of the set of the second and the function  $W_k$  and  $T_k$  are included by the following results

10.7 THEOREM Let by the filled. Let T | H = F, be a contraction; then the map

from  $a_{ij}(t)$  (sets  $\phi(r_{ij}(t))$  is a supplementary condition. An example  $a_{ij}(t)$  is  $p_{ij}(t)(t)p_{ij}(t)$  is a conditionality. Moreover, we have

for all a se with and a da wint-

From  $t_i$  to be a semination of the value of  $t_i$  and  $t_i$  to the semination of the importance of the  $t_i$  to  $t_i$  to  $t_i$  to  $t_i$  and the semination of the importance  $t_i$  to  $t_i$  to  $t_i$  to  $t_i$  to the semination of the semination  $t_i$  to  $t_i$  to  $t_i$  to  $t_i$  to  $t_i$  to the semination  $t_i$  to  $t_i$ 

given  $b_{j}^{*}$  in a contensity. Proceedings we have  $\pi_{j}(B) = \pi_{j}(b_{j}^{*})\pi_{j}(b_{j}^{*})$ , thus it is securify to present the  $b_{j}(B) = F_{j}(B)(b_{j}^{*})$ . The proceedings are likely and the following of an injection, and as the energy to continue the case is which if we the meaning injection  $B : B = B + B^{*}$ , for each primary injection  $B^{*}$ . In this case we have  $\pi_{j}(B)(a_{j}^{*}) = a_{j}^{*}$ , for each element  $B : B = B^{*}$ , for each  $B^{*}$ , where B is the injection  $B^{*}$ . On the other large, we have  $F_{j}(B) : E + E + B_{j}^{*}$  for each B for each B in  $F_{j}(B)$ , where B is the case we see that B is the case B in B. Then we have

$$\mathbf{x} + \mathbf{x}_{k}(t) \cdot (\mathbf{x}) - \mathbf{F}_{k}(t) + \mathbf{F}_{k}(t)^{2} - \mathbf{x} + (1 - \mathbf{x}),$$

where a to the projection on E, and the way are a M (1 - w) is completely goodlike:

Princip, for all a to Wilso and y to Wilso, see more

V, (1) Ltd + F, (V, 1\*to \* 1) F, (V, )

10.8 Rypage. In the outer of the soul of obtained a Discounting decimposition (10.4) As  $v_{\rm s}(1)$ , if we have if  $\rho$  with a subspace of  $r_{\rm s}$  we have

the will 
$$u$$
 in  $u_k(t)$ , and so  $u_k(t)$  for an electronic constraint to a simplicity:  
position was an  $E(\theta_k(t))$  indice in, as test,  $u_k(t)^2$  spins the extraordication  $u_k$   
to translattic, by Takarus 7.50. Thus the altrianch extension

witt : fifties) + bit, with in ordine.

30.9 STHATE we need production a Challeton A<sub>2</sub>(H) a V<sub>1</sub>(E) by taking the qualital toron statict. It is industring to some that the EXP eighter in

earliers: given any C\*-algebra # there is a unique way of complexing as-\*-algebra 8000 # S to get a C\*-algebra.

10.10 Theorem for any actions against a deprive some of the content. Proof: Specify that Will be recised to explosive these offices (1977); to exacting that the same classes of the EM edge-tree is my expresentation in injective that the phonon may representation in at the EM, where is a projection of eyes one of \$10.00 that will "a december of the explosive the explosive the explosive the explosive the following algebra to below the end only if the commutate in injective time of them are from only in our electric service as the EM, we seek a amplitude of them are from Ole, in our electric the an absence of m, we seek a amplitude of them are from Ole, in our electric service and a subsection of \$10.00 given by with a second of the electric service.

for all a in filly. Then a is a representation of the smaller group is on filly, but any amplier group is emercial tree Grandard (1988); so these salate as Expectant some if the A. Then A - Martil by a projection from filly 1 once the filest poort algebra of a, namely Will'. Then simil' to Aspective, our the result follows.

10.11 Finance to the experience of exciser. If it is a first discretional willest space, inp of discretion is, then Air) are in discretified with the Air matrix algebra by (0). It follows that, for any definite-conservational military moves it, is 600 organization Air is a series of the GOO organization and because it regimes in a factor of the air fall matrix algebras), and home in market insections (1007).

# 11. COMPLETELY POSITIVE MAPS ON THE CAN ALSERGA.

The module or quasi-free completely positive many or the (AS and no belonging as those on the CES algoria, between all the Japa of May and at employee of the generating functional). However, we have the following modules of Theorem 16, 20

11.1 Teccars for 1 in - x is a contraction between Killer's quarte, than there exists a conflictally precision may hirs - Anni - Aixi, these carries on Man. monocolally is given by

$$a(x_0)^4 \dots = a(x_0)^2 a(x_{n+1})^2 \dots = a(x_{n+1})^2 \dots =$$

Moreover, A to Assistantal:

W have the additional property:

A)Ob six the Rook sciates.

Proof: [first, but f : H + H as pr terretty; thus the monty with the a representation of the CM1. Here there is a full thind remaining the ACT : ACH + ACM such that ACT Labol - wires.

Next, let T : T = T be a so-installey. Denotes the completely continues of that both AGO gives, in the Fock supplicitation,  $x_{\ell}$ .

direct calculation on a tatal act of sectory to fact good effect that, so size magnitude, or here

Firstly, let T i it  $\bullet$  4 be a continuous of their them exists a filtract space I and immetrics,  $V_q : H = \cup_{i} V_g : K = 1$  such that  $T = V_g^* V_{i+1}$ . But

for all a to district bloom ALTI to a constitutive positive way around antiput so also associate to given by 175,75. The constitut specifical fallow form 1754.

21.2 Reads: the relation between the functions & and a agri be about

remetty or relinery -- him

the algebrariable of a current with minimized and, analysing the rule of the At-Austice to time, we have

as fee the Witneston.

In the Post percentilities the functors 6 and 6 are related as follows:

21.3 THEOREM For each continuous to the exchange Allbort spaces as

for all a in total. We have bits a transcription of and only if the a seclamentry, and bits in a homotophilm of and only if the an investory. Moreover, for the both state a section.

for all a de Miccaell y lit Note-

Boogh At for Hearth H. C.

# 12. DELATIONS OF GUART-PREE PRIMATERAL SENT-GROUPS

We the six the filter's cook distinct beeny which we doubtless by Chapter 3, Depther with the qualified sequencials positive man constructed to Chapters 11 and 12, he obtain sequence of sizetiess of consideral analysis on the Chapterson blook.

12.1 EXAMPLE out ( $t_{ij}$  : i = 20 is a strongly semimore notinguous of conformation on a fillest mass of. Two, by (broads 3.5, freez is an immediate semimining V of V (see assists Sillest mass 4. at which there is an end-group  $(t_{ij} + 1 + 0)$  of a substance much that

Where, for each X  $x^{-1}$ , track is a strongly conditions antigroup  $(a_{k})^{-1}_{k}(1+k+0)$  of amplicably positive maps in  $a_{k}(0)$  and that

See  $H_n(V)$  is an ambienting of with an  $n \in V$ -matrigation of M(V), set  $H_n(V^*)$  in a conditional amountation of With one. With. . Furthermore,

In a williarity depression, group of antisemphisms of  $u_{\mu}(CL)$ . If we identify H on a bounce of R, we have

for all a to soltil. In partameter, we have

$$w_{1}|_{L^{2}(\mathbb{R}^{N})}(\omega) = w_{1}|_{L^{2}(\mathbb{R}^{N})} = \frac{1}{4}\|\|\|\|\|_{L^{2}} + \|\|\bot^{2}\|\|_{L^{2}}$$

t a d. We all n in m.

12.2 EXAMPLE (et 11, i t : i) he a seni-group of LimitTide on a Hilbert space H. Then, by Theorem 3.1, we note the element of Latino

to this case, at the f'-algebraic level or how

$$W_{\pm}(V) = W_{\pm}(V_{\pm}) = W_{\pm}(V_{\pm}) = W_{\pm}(V), \quad \pm \pm \pm \pm \pm 1$$
(13.1)

Identifying 6 as a suppose of to se here

$$H_{k}(T_{k}) \in \mathcal{M} + 1 = H_{k}(H_{k}) \cap \dots \cap H_{k}(H_{k}) \cap \dots \cap H_{k}$$

for all x to  $H_{\underline{x}}$  but. Thus is a more strong time of equation. It is notice the semi-group of boundary) and  $(H_{\underline{x}}(T_{\underline{x}}) + 1.2.2)$  into the authority implemented group of automorphisms  $(H_{\underline{x}}(U_{\underline{x}}) + 1.2.2)$ .

12.3 Example: Let  $(t_{i_1} = t + i_1)$  be a sami-group of conjunctions on a Hilbert space  $t_{i_1}$  such that there is an isometric associated i of Hilbert above  $t_{i_1}$  and which there is a shringly simplement unit-group of isometries  $(t_{i_1} = t + i_1)$ .

He Creater it so will show that such a minimum relief or contains semi-groups.) For the COS algebra, we have the following interesting incontribregressmentation:

$$u_{j}(v) \cdot u_{j}(\tau_{j}) + r_{j}(u_{j}) \cdot u_{j}(v) \cdot t + 1 \cdot r_{j}(u_{j}) + v + r_{0}$$

inserting to see it a waterpare of K, this girls

$$H_{\underline{A}}(T_{\underline{A}}) \cdot \{ A \} \neq 0 = \mathcal{P}_{\underline{A}}(T_{\underline{A}}) \cap H_{\underline{A}}(X) \cdot \{ A \} \cdot \mathcal{P}_{\underline{A}}(R_{\underline{A}}), \quad 1 \in \mathbb{C}.$$

sur all a tris, on a

Realegace results held for the DAR algebra. To the receiving proposition we will be operated with finding dilettons of mire private dynamical semi-groups a speciator algebra. We emisse, by using a minusco-product operatorism, then a collector of the type (12.1) exists troutedly for one semi-group of terminate laws. In the C1-algebra case, this matter given a solution of a facility of the plants amountained assume the acceptance of the contribution.

#### 25. DISETIONS OF COMPLETELY POSITIVE MAPS ON C\*-AUGUSTANS

To Chapter 17 we give more markets of stinting in a Cr-algebraic matting. We see take a more entrust approach. We seek that a family of completely position man on a Cr-algebra can be dijuted to a group of Cr-agementions on a larger Cr-algebra.

per all a de p and a de s.

Proof) Let  $\pi^* \circ L^2(\Omega(0)$ , and define a completely position ago  $T : A = \mathbb{R}(\pi^*)$  by  $CT Let Tilgt = Y_{\mathfrak{p}}(A) \operatorname{Figt}$ .

Let W' be the strength continuous orders representation on W on W', declared by  $W'_{ij}$  fillet -  $N(\mathbf{x}_{ij})$ , and let N' be the C' eleptors generated by TiAs and  $W'_{ij}$ . Let  $(\mathbf{x}_{ij})$  has an  $L^{ij}$ -expressional attention on  $G_{ij}$  for each  $L_{ij}$  suffice on Laurentian assumpting  $\mathbf{x}_{ij} = H + H'$  by

There lies  $V_k^*$  as  $X_k$  exclude in the most contact topology for all a in A's and  $k \to \infty$ 

Minds I is completely positive, there exists a preparativistic y or X on a Wilpari space  $x_1$  and an incentry  $Y \in \mathbb{N}^1 \to X_1$  such that I ind  $x_1 Y^*$ . Laby for all  $x_2$  and  $X_3$  are I is followed above.

for sill a le.A. Let U be the chargly continues unitary presentation at E

on it, defined by

$$\theta^{k} = 0.07, \, 3_{\varphi} + 1 = 0.04$$

For all g is G. Let D be the  $C^*$ -management of B(G) prescribed by the sent B(g) if E = B(G) is G. As B(g). Then we have  $Y^*E = g \cdot F_1$ , thus, for each A is G, the limit B(G) is  $F_2^* \cdot Y + Y \cdot Y_{i_1}$  exists in the mass quenetty thenings, and A = G.

the all a in A and a load,

#### 34. Diversions of armonical semi-mours

In this shorter we exactive the generators of most cardinates one: parameter samigroups of practice mass and. In particular, of samilabely position maps on Cf-migaines. We observe the well-tensor penalty for reversible occupanderivations generally extensively groups.

Recall that a definition or an algebra A to a see to assure county (III.)

is a subalgebra of A. Auch that

- for all and retroke

10.1. Theorem Let  $(a^{11} : t + s)$  be a strongly continuous somigroup on a discust algebra  $A_s$ . Then  $a^{11}$  for each t + t is a homomorphism if and only if t, is a discontribution.

Proof: Let t be a destruction, let u, y be alsoured of Diti, and put

$$f(x) = e^{14}(xy) - e^{15}(x)y + e^{44}(y), \pm 0.15$$

tret to fit1 is continuously siffurnitiation

sent for high ESLT on those

Day on have

$$\begin{split} e^{a_1}(x) &= e^{a_1^2} e^{a_1^2} &= -\frac{1}{2} \frac{1}{2} \frac{a_1^2}{2a_1^2} \left( e^{a_1^2 (1-a_1^2)} \cdot e(a_1^2) \right) dx \\ &= -\frac{1}{2} \frac{1}{2} e^{a_1^2 (1-a_1^2)} \cdot e(a_1^2 (a_1^2) + \frac{1}{2} \frac{1}{2} e^{a_1^2 (1-a_1^2)} \cdot e^{a_1^2} e^{a_1^2} \right) \\ &= -\frac{1}{2} \frac{1}{2} e^{a_1^2 (1-a_1^2)} \cdot e(a_1^2 (a_1^2) + \frac{1}{2} e^{a_1^2} e^{a_1^2} + \frac{1}{2} e^{a_1^2} e^{a_1^2} e^{a_1^2} + \frac{1}{2} e^{a_1^2} e^{a_1^2$$

. O. sives i is a surjection.

That IV figh In Identifically same on hove

for all a, y in Olli. The manufit fallows, since Dist to some in A. The area? of the converse in trivial. Mean up many analogues remains for the generalism of position consignment on at-algebras. First total | that if S is a set of plates or a Chalgebra A, then B is nated to be full if S is all if if i S is all if S is set of a continuous at a C whenever a be an anti-adjacent alement of B. Foregons, if I taken by a full in a continuous at S. Foregons, if I taken by a full in the continuous at S. Foregons and the set of the state of the continuous at the continuo

- 14.2 Throates for a lot of humand and products from my on a writed the algebra 6. Then the following amplitudes are equivalent:
- to all is portion for all portion to
- 1. IX 11" to positive for all sufficiently Laure parieties to
- A. If y is in t. . they ye It implies a slyte is it.
- the same full, immediate set of states \$1. Of f to in E-and y in in A<sub>1</sub> ,
  then fight \$1. Ordina filled | 0 in a.
- to the transfer of the state of
- u. Little of all the rillette of all the all melong a data.

Proof: A, W. S. Let S be a fall, investors set or states setterying 4., Let y or A, and a in a man that ye + 0. Then Ploty of + 8 for all f in S. Herman, by 4. and the interferon of 5. or from Haftly) of 2 for all 6 to 3. and an aftlying 5 to fill.

3, 40.2. Let 3 be greater then  $\|\cdot\|_1$ . Do notice to these that  $13 - 11^{-2}$  of 1.

1) is transprise the two that a = 2 elements = 20 main-adjacent and 13 + 11 = 0. Then, by 1, we have  $a^* + a^* + a^* = a^*$  with  $x^*$  and  $a^* = gandidet$  and  $x^*a^* = 0$ . Then, by 1, we have  $a^* + 1a^* = 0$ . By the trap

$$0 < a^{-1}((1 - a^{-1})(a)), a^{-1}$$
  
 $-a^{-1}a^{-1} - b^{-1}a^{-1}(a), a^{-1}$   
 $-a^{-1}a^{-1} - b^{-1}a^{-1}(a), a^{-1}a^{-1}a^{-1}(a), a^{-1}a^{-1}$ 

Thus,  $0 = (x^2)^2 + x^2 e^{-x} (x^2) e^{-x}$ , and so  $\|x^2\|^2 + x^{-2} \|\|x\|\| \|e^{-x}\|^2\|$ , since  $\|x\|^2 + \|x\|^2 + \|x$ 

 $t_* \neq t_*$  (at  $t_* = 1.11362$ , and put  $t_*^{\rm eff}(t) = t_* \neq t_*$ . Then  $t_*^{\rm eff}(t) = t_*^{\rm eff} \times t_*^{\rm eff}$ .

so thed  $\{a^{0,1}\}_{i=1}^n$  is a BY is a group of positive mass. Applying the Lie-Teatler formula to  $b^{-1}$  is a BY is a base  $a^{0,1}$  in Eq. (1). Lating testimen's derivate frequently (Carollery 4.4) and the fact that  $a^{0,1}(1) + 1$ , we have  $a^{0,1}(a^{0,1} + b^{0,1})$  for  $1 \ge 0$ . Differentiating at b + 0, we have  $b^{0,1}(a^{0,1} + b^{0,1})$  is  $b^{0,1}(a^{0,1} + b^{0,1})$  for all self-equation in b, set in the result values on adoptativity  $b^{0,1} = b^{0,1} + b^{0,1}$ .

5. We do not you be  $\sigma_n$  ,  $\sigma$  in  $h_n^n$  with  $H_0 \in \Omega$ . Then  $\sigma(g^2 \circ) + \sigma(g^2) = 0$ . On all  $\sigma$  in  $h_1$  by the Selmann proposition. These

implies that for fact of the

 $t_{\rm c} \approx t_{\rm c} - t_{\rm c}$  for reduction attributed above, it is enough to given this above that i.e.  $t_{\rm c}$ 

t.  $\phi$  6. Since  $e^{BL}$  is place  $e^{BL}$  the +1 denoted as an electric  $\|e^{BL}\| = 1$  for all + 2 0. Thus  $\|e^{BL}\| + 1$  for all + 2 0. Thus  $\|e^{BL}\| + 1$  for all + 2 0. All formulating this instability of + 1 0. We have  $E^{BL}(a^{B}) = e^{BL}(a^{B}) = 0$  for all + 2 0. We have  $E^{BL}(a^{B}) = e^{BL}(a^{B}) = 0$  for all outstains a in A.

 $\mathbf{x}_1 \leftrightarrow \mathbf{x}_2$  . Since we have assumed that  $\mathbf{x}^{(i)}(T) = T$  for all  $t \neq 0$ , it is unargorate  $\mathbf{x}(t) \in \mathbf{x}_1$  to give that  $\mathbf{x}^{(i)}$  is a sufficiency for all t > 0. In (i) the to the case of  $\|\mathbf{x}^{(i)}(T) + \mathbf{x}_2\| > 0$  for the case of

from ST.21. But it a in unitary and t it it, as more

$$s = \left\{ (1 - e^2 \epsilon) a \right\}^{\alpha} = \epsilon (a) \left\{ \left[ (1 - e^2 \epsilon) a \right]^{\alpha} = \epsilon (a) \right\}$$

$$\lim_{k\to +\infty} \|\|\|+\kappa\|\|\|_{L^{\infty}(\mathbb{R}^{N})} + 222\varepsilon + \lim_{k\to +\infty} \|\|\kappa\|^{2}\|\|\|\|\|\|\|^{2}\|^{2} + 322\varepsilon + 3\varepsilon$$

hence all is a postroction for each 1 = d.

A colf-odjulat These may so a C7-algorer to commutatelly continuous

of it salled as could not be to be the property of the property will be the salled by

14.3 THEOREM . Loc is the a subject product these map on a sected the product to publishes property.

dF = da to  $a_{-a} + La$  in  $A_{-a}^*$ , and  $A(\gamma) + A_{-a}$  then  $F(L_{\alpha}\Gamma) + C_{-a}$ . (54.7) Thus  $a_{-a}$  is bounded, and as  $a^{-b}$  is positive for all a + 0.

proof: the map are that of \$15.00 = \$1102 establish condition (0.11 elements), there, as we say consent that \$10.00 is will show that, to this same, to it should be on A. Sin the series of \$1.15:

In what to prove this for one colfragions a, we say assume that there exists a positive if it At some that for  $x = \frac{1}{2} a_0^2 \cos (1/4)^2 + 1$ , then  $A(\frac{1}{2} x_0^2 + 1) = 0$ , and as  $A(\frac{1}{2} x_0^2 + 1) = 0$ , that is, so there exists  $A(\frac{1}{2} x_0^2 + 1) = 0$ . Let  $A(\frac{1}{2} x_0^2 + 1) = 0$ , so that is, so there exists  $A(\frac{1}{2} x_0^2 + 1) = 0$  for  $A(\frac{1}{2} x_0^2 + 1) = 0$ . If  $A(\frac{1}{2} x_0^2 + 1) = 0$  for all solf-adjoint  $a_0 + 1 = 0$ . It follows that a in the  $A(\frac{1}{2} x_0^2 + 1) = 0$ , we have

The remains limited by Records 10.2 relate enough to the Jarran structure of a  $\mathbb{C}^2$ -elephone, but may will be seen to give a result should be  $\mathbb{C}^2$ -observed interpret 14.01. For other analysis of assemble  $\mathbb{C}$  of  $\mathbb{C}^2$  of the  $\mathbb{C}^2$  of the full  $\mathbb{C}^2$  of the  $\mathbb{C}^2$  o

19.4 Tectories — Let 1 be a located adjruighter bloom may on a Challebre A.— there wile juilituding conditions one equivalent?

E. Hard Added to a record for all a do to

Proof: 1.  $\phi$  2. This follows by differentiating the Inspecting in 1.  $\phi$  6 + 1. 2.  $\phi$  1. Suppose 2. Points: extent as country 1 to 4.  $\phi$  1 and animal 1. In the entergod electron by parting L(1) = 0. Then, by Theorem 14.2.  $\phi$  2 is possible so the orderpot electron to 41.1.2  $\phi$  3 is a 14.5  $\phi$  4 in School

$$\begin{split} & \phi(\phi) = e^{ik_{+}}(e^{i\phi}) = e^{ik_{+}}(e^{i\phi}) e^{ik_{+}}(e), \quad i = 0, \\ & \text{Then } e^{i\phi}(e) = \int_{\mathbb{R}^{N}} e^{ik_{+}}(e^{i\phi}) + \int_{\mathbb{R}^{N}} e^{ik_{+}}(e^{i\phi}) e^{ik_{+}}(e^{i\phi}) e^{ik_{+}}(e^{i\phi}), \quad \text{as } \text{ deat} \\ & \phi(\phi) = e^{ik_{+}} e^{i(\phi)} + \int_{0}^{\theta} \frac{e^{i\phi}}{e^{i\phi}} (e^{i\phi})^{ik_{+}} e^{i(\phi)} e^{ik_{+}}(e^{i\phi}), \quad \text{as } \text{ deat} \\ & = -\int_{0}^{\theta} e^{i(\phi)} e^{ik_{+}} \int_{0}^{\theta} e^{i(\phi)} e^{ik_{+}}(e^{i\phi}) e^{ik$$

But, by hypothesis,  $(1e^{ik_1}(e^i) e^{ik_1}(o)) + (1.e^{ik_1}(e^i) e^{ik_1}(e)) + e^{ik_1}(e^i)(1.e^{ik_1}(o))$ for all e is A and  $e \ge 0$ . Parameter,  $e^{(1-e)ik_1}$  is positive for  $0 \le e \le 1$ . These  $f(x) > e^{ik_1}(0) + 0$  for all  $i \ge 0$ . This seems that

our all a D.A.

Europe we go so to assum some observations of the government of various companies and property of administrate positive maps in C\*-algebras, we will give a result attach has a slightly here general satisfic, and which we will send in the color of Decorate 55.5.

10.5 Lines, for a translation of a tralphore, and let the a self-adjoint bounds from up. Then the following conflictors are ambulated:

to Escall a de A, the formula

2. The harteste

use position-difficity on IA + Ai + (a + Ai,

in. The following holan for all a link a

$$\begin{split} & \prod_{j=1,j+1}^m a_j^2 + \log_1^2 a_{j}^{-1} \cdot k_j + 0 \text{ for all } a_{i_1}, \dots, a_{i_j} \text{ de A and } \\ & 0_{i_1}, \dots, k_{i_k} \text{ de H for which } \sum_{j=1}^m a_j a_{j} + 1. \end{split}$$

Proof: 1. 10 1. Then in trained.

to the So. Lett  $a_1,\ldots,a_n$  the A and  $a_2,\ldots,a_n$  the W methody  $\sum a_1b_1=0$  . Then for all a in 6 or love

$$\begin{split} & \Big\{ q_{a_i,b_i} \cdot b_i^a (1 + a_i^a - a_i$$

the

tening a but in an approximate limiting for A. wil how

In the St. Deletted Care and Care San man San St. April San April San April San St. and St. an artitrary. Geftian

$$B_{\underline{b}} = \left( \begin{array}{cccc} -a_{\underline{b}}r_{\underline{b}} & & +1.8 & 1.4 & a_{1} \\ & & & & \\ & & & & \\ & & & & \\ \end{array} \right), \quad \left( \begin{array}{ccccc} -a_{\underline{b}}r_{\underline{b}} & & & +1.8 & 1.4 & a_{1} \\ & & & & \\ \end{array} \right)$$

Then 
$$\xi_{i+1}^{2n}$$
  $a_ib_i = 0$ , we sent 
$$\xi_{i,j+1}^{2n}$$
  $b_i^n$   $\mathrm{Lig}_i^n$   $a_j \in a_j$   $a_j \in a_i$ 

extensioning for a part to a we have

$$\begin{split} & \prod_{i_1,j_2=1}^n e_i^* \log e_i^* e_j^* e_j^* e_j^* + \prod_{i_1,j_2=1}^n e_i^* e_i^* \log e_j^* e_j^* e_j^* \\ & = \prod_{i_1,j_2=1}^n e_i^* \log e_i^* e_j^* e_j^* e_j^* e_j^* + \prod_{i_2,j_2=1}^n e_i^* e_i^* \log e_j^* e_j^* e_j^* \\ \end{split}$$

Then 5: builder.

TEPTRITION AND A to a Communication of a Configurate B. A Street

eap t + h + H to both to be conditionally confictely position in it anisotree the monitors of Lama 74.5.

We assiste this shakes with a standard potential of the generators of quantum dynamical renigration.

14.7 THEIMEN See t to a self-adjoint bounded bloom map on a Configurar.
A. Theo t is conditionally completely position of and only if a<sup>th</sup> in completely modeling for all t = t.

Send() became 1 to conditionally completely positions. Then I well-free condition 1, of Lemm 14.5. By group to the second cost for remembers) we can assume that A be writed: then, taking a = 1, the result follows from the implination 3, of 1, of Transmo 14.2, and the converse follows from the implication 1, or 2,

## CAMMITTAL RECOPPOSITION OF CONDITIONALLY COMPLETELY POSITION PAPS

The Chapter 14 we give a minocontention of the generatory of extension problems are comparable analyses of completely martiles were they are the possible and problems of completely martiles were they are the problems of an extension of convertionally consistently martiles were observed to reproduce description of more structurally completely multiple case one is given, in terms of a semiclost fearer partition [Theorem 75.1]. Into result tak we stated using a submarined fearer smilter substantial problems, one may be the templated this map to introduce all the marinesses of assembly, respecting the templated of a semi-fearer place of a semi-fearer of the fall thing to the semi-fearer of a semi-fearer place of the fill thing to true  $(f \times 1, g + h) \times h$  as an extension like in a linear way that  $(f \times 1, g + h) \times h$  are there exists  $(f \times 1, g + h) \times h$  and the semi-fearer of the fill thing to true  $(f \times 1, g + h) \times h$ . Then there exists  $(f \times 1, g + h) \times h$  and the fill the semi-fearer of the fill the fill

At 4 to a via termine substitute of a non-thermore eigebre  $R_1$  and let  $L : R \neq R : m \neq n$ . However, such that define and n = n are conditionably exceletely positions:

Maticula + attitutate - Materials + attitutes

for all a, b, b, b, d' D' A. Palting

for all a in A, we see that  $i_{ij}$  in a derivation of A and  $i_{ij} + i_{ij} + i_{ij} + i_{ij} = 1$ , there exists a self-adjoint a in B and that  $i_{ij} + 1$  or  $i_{ij} + 1$ . Hence we many that  $i_{ij} + 1$  is  $i_{ij} + 1$ . Therefore, if  $i_{ij} + 1$  is  $i_{ij} + 1$ . Therefore, if  $i_{ij} + 1$  is  $i_{ij} + 1$  is an almost of E, then the max  $i_{ij} + 1$  is  $i_{ij} + 1$  in the sum of that their  $i_{ij} + 1$  is an arm therefore consists  $i_{ij} + 1$  in this is that a consistency positive. It is this in that a consistency positive and the second of the consistency positive and the second of the constitution for constitutionally completely positive again.

- 15.1 THESER Let a be a W-elpiton. Then she following conditions on a see employees:
- Alleston A in fairifully expresented as a W-eligiber on a Wilhert space it as Asset (\*10.2001) = 0.

 Showmer \* is fullfully represented as a w-elysiest or a tribert space of our i. : A = 800 is a smoothfoully couplabely position altermobily continuous \*-Simum map, these actions a in 1001, and a completely position map a : A = 800 mod that

for all a in A

Freef: 1. + 7. Let A be forth-fully consented to a Hilbert space A, our let  $t_i : A + B(t)$  is a  $t^*$ -linest olderwoodly continues may but that if E is the triliness may define be

For all  $x_1$   $y_2$   $x_3$   $x_4$   $x_4$  then the way  $(x_1,x_2)_1$   $(x_1,x_3)$  is  $(x_1,x_2)_2$   $x_4$  in particular on  $(A \times B) \times (B \times B)$ . Thus, by the results of limptons 1 and 2, hence outside a Hilbert same  $B_1$  a correct representation  $x_1$  of A on  $B_2$  and a limpton A of A of

Hongs, by editionity of L. on Sano

For all a, \* In A. Lan. & service the Tobleving resmal teathful depresentation of A on H \* X.

where we intentify elements of SOT#60 with 2 \* 3 testrious in the should way.

(an 4 be the fallowing loomer was of Sia? (atm 201 \* 60)

There Middle Mills - Midd Minst - Middle) Stat for all a. a 24 A. Heman, stone Middles, 804 8-813 - S. thorn counts

to Birt # 6) wen this William - Widcel - Hislin.

To particular, who - whate - on one all a in A. Thus, for all s. p. 5 in A. ar turn

where g is the consisted position and  $g = g^* \circ (a)$ . From the disconting presenting the interpret of the Discontinue and Sirch  $H^1(B_1, B) \circ (1 + a)$ , so then that there we shall be in Sirch makes that  $L(a) = g(a) = a^*a + a$ , then all a is A. In  $a \in A$ , then the folderships represented to a stational specify, and let L(a) = g(a) = g(a) = g(a) = g(a), where  $a \in B$  is the interpret of A, and define  $L_{a} = A + B(a)$  by  $L_{a}(a) = h(a) = h(a) = h_{a}$ . Then  $L_{a}(a) = h$ . Then, estimate loss of points  $L(a) = h(a) = h_{a} = a + h_{a}$ . Then  $L_{a}(a) = h$ . Then, the smooth L(a) = h is an element L(a) = h. On an element L(a) = h. Then  $L_{a}(a) = h$  is the solution L(a) = h is the solution of L(a) = h. Then L(a) = h is the solution of L(a) = h is the solution of L(a) = h is the solution of L(a) = h. Then L(a) = h is a substant L(a) = h is a substant L(a) = h in L(a) = h in L(a) = h. Then L(a) = h is a substant L(a) = h is a substant L(a) = h in L(a) = h. Then L(a) = h is a substant L(a) = h is a substant L(a) = h in L(a) = h.

$$L(x) + g(x) + 6x + 2x$$
  
+  $C[g(x) + x^*)x + g(x + [g(x))$   
+  $6x + 40$ 

the ALL + 16 A, he that HILL, DHILL + In

15.2 Repairs: Let a be a son bulletin or a relibert space it, and let  $\Gamma_{i_1}$  , i. a. if the a representations untigroup of completely small true surface.

as 6. Then the follows from Processes  $TA_i T$  and  $TA_i T$  that, seems outstain conditions on the algebraic process of the second conditions on the second conditions are the second condition of the second conditions and the second conditions of  $T_i$  in given by

When will a in A. BY  $t_{\rm g}$  preserved the behavior of A. Dies Litt - H and an a + a \* - 1 pitt a 0. Assume A in the preserved of a sectrolist semigroup  $(\theta_{\rm g} + \tau + 0)$  map, as  $\theta_{\rm g} - 1$  and as the composition images of their plane by  $S_{\rm g}(a) + S_{\rm g}^{\rm g} + S_{\rm g}$ . The will a in B(a). The presentation  $\delta S_{\rm g}$  is the row as  $\delta S_{\rm g} + 1$  and the first semigroup of their semigroup  $\delta S_{\rm g}(a) + S_{\rm g}^{\rm g} + S_{\rm g}$ . The will a  $\delta S_{\rm g}(a)$  to  $\delta S_{\rm g}(a)$  and  $\delta S_{\rm g}(a)$  in the row  $\delta S_{\rm g}(a)$  is the  $\delta S_{\rm g}(a)$  and  $\delta S_{\rm g}(a)$  in the semigroup performation that  $\delta S_{\rm g}(a)$  is the semigroup  $\delta S_{\rm g}(a)$ .

$$h_{\underline{t}}(x) = h_{\underline{t}}(x) + \int_{t}^{t} h_{\underline{t}-\underline{u}} + \phi + \tau_{\underline{u}}(x) dh, \quad 0 \to 0, .$$

ear all a to A. Pore generally, we must the following decirations

15.5 DEFINITION 100 to the own because algorithm is a million down in. A dynamical company of limiting type on a six is smally northern configuration, it is not successful completely positive positive matrix both that there is not a strongly matrix and completely configuration are transfer and for a fill on a, and a completely positive successful and below.

for will a le. A. weers I, let a U. a No. .

15.4 FERRER A community verticator of computed type on A rea on extension, by a Special configurar of Chapter type on 1991.

## 16. INDESTRUCT REPRESENTATIONS OF NOWITH DYNAMICAL SERISBOURG

The Grapher 2 few presides on deleting and constructing of the follows spine familia. The require-very west on Chapter 52, ingester with the CAN and CON functions, to retain exemptes of Alfallian of openinal presignous of the co-algebra invades of allalian of openinal presignous of the co-algebra invades of allalian processing the prescript presides of allalian approximate samignosis. As in the Unitary moves although the tenture 78, and those the control of a self-black. The disast growth form of the accounting two control of a self-black. The disast growth form obtains the account of a self-black. The disast growth form obtains the account of a self-black.

16.1 THEOREM — Let a be a new deciment algorithm on a stillness opins to, and let the the to be a stable, continuous described configuration of Limitated type on A. Then there exists a stillness upon a seriously continuous members;
(4) I a a III of incontrious on the K. mach that

And all a in A.

 $M_{\rm B}(q^2)$  . As were matrix 1000 location this then A = Scale, which there exists a minimal time execution  $M_{\rm A}$  = 0  $\pm$ 1 as 4, and a regard completely modellist which we first, mast test  $M_{\rm A}$  = 0.000, when the constant  $M_{\rm A}$  = 0.000, where  $M_{\rm A}$  = 0.00

$$T_{\underline{k}}(\mathbf{n}) + b_{\underline{k}}(\mathbf{n}) + \int_{\underline{k}}^{\underline{k}} b_{\underline{k}-\underline{n}} = 0 \cdot A \cdot T_{\underline{n}}(\mathbf{n}) \cdot d\mathbf{n} + b \cdot B_{\underline{n}}$$
 (1874)

for all = 10 MHZ, where  $B_{ij}(z)$  =  $B_{ij}^{*}$  = . The convertibility presentation  $\omega^{*}_{ij}$  and  $\omega^{*}_{ij}$  are two pro-trial limit variables

$$_{2}T_{\chi}(y) + _{2}S_{\chi}(x) + _{2}^{(2)} _{-1}T_{\chi} + _{2}S + _{2}T_{\chi+\chi}(x) + _{3}S + _{4}S + _{4}S$$

for set a so that. By Theorem w.E. this extra a family  $(x_n + c + b)$  of formula opposition on b term that

$$W(n) = \int_{-\infty}^{\infty} V_n(n) + V_n(n) = A_n^{-1} A_n^{-1} + \cdots + \frac{110(31)}{2}$$

You all a 10 Mill). Decide of the particular face (16.3) of the purisitation a, on the outer the Decides incide for (15.7) and (18.2) in an enterprise, but applying any

reported as a form) anisot of 0 + 1 + 2 + 10 = 0 we obtain a say. Let  $Y_n$  we first a form of 0 + 1 + 1 = 0 and 0 + 1 = 0 for the first also of 0 + 1 = 0 and 0 + 1 = 0 for each 0 + 1 = 0 for a first anisotrous 0 + 1 = 0 + 1 = 0 for 0 + 1 = 0 for an 0

$$-1(x_j,t_j))_{j=1}^0$$
 ,  $-((x_j,t_j))_{j=1}^n$  or

The Inverse has its given by

$$\{(y_1, x_1)(_{1+1}^k \ \cdots \ (y_1, x_p), \ \cdots, \ y_p, x_p), \ (y_{p,n}, x_{p+1} - x), \ \cdots, \ (y_p, x_p - x), \ \cdots$$

where a is the unions integer and that  $x_0 = t + s_{g-1}$ . We describ by  $s_g$  instands undestrophisting of the single induction t or some length. We decire the meaning  $s_g$  in  $s_g$  be to the greatest number constrained from counting makes to much appearant  $s_g$  and coincides the matter  $s_g$  and coincides  $s_g$  are defined a matter  $s_g$  on  $s_g$ . In or weakington further to the pair t in  $s_g$ , define t,  $s_g$ ,  $s_g$ ,  $s_g$  as an energy of Ferderic . For such a to  $s_g$ , define t,  $s_g$ ,  $s_g$ ,  $s_g$ ,  $s_g$ 

where  $a \in \{(a_1,b_2): 1+c_1+\ldots+c_n+G\}$  . Here the bounders weren

$$a^{\dagger}a^{\dagger}a^{\dagger} + a^{\dagger}b_{1}(a) + \int_{0}^{a} 1_{1}b_{1}^{\dagger} + a^{\dagger}b + b^{\dagger}a_{2} - a^{\dagger}b + b^{\dagger}a_{2} - a^{\dagger}b + a^{\dagger}b_{2} - a^{\dagger}b + a^{\dagger}b$$

one to setting as

$$\varphi^{*}_{\underline{L}}(a) + \int_{X_{\underline{L}}} 1_{\alpha} \Sigma_{\underline{L}} \varphi_{\underline{L}}(a) (a) \cdot (a) \cdot 2g_{\underline{L}}(a)$$
, (50.4)

sed the extinted merica on

$$\tau_{e}^{(a)} = \int_{a_{e}^{+}} 11_{a} S_{a} v_{e}^{(b)} (a) 2^{a} (a) a_{a}(a)$$
, (66.4)

We take X to be  $L^2(Y_n)$ , and so the convenient  $\hat{\psi}_n$  on  $L^2(X_n)$  or for a > 0,  $((X_n)^2(X_n)^2 + ((X_n)^2(X_n)^2)^2)$ .

seem ( $a_k$ ,  $a_k \mathbf{1} = b_k^{-1} \ln b_k$ ) the element statistic's at first as given by

$$\text{SMMITM*} := B_{\overline{x}_{q}} A_{x_{q}} B_{\overline{x}_{2} - \overline{x}_{q}} A_{x_{p}} \cdots A_{x_{n}} B_{n - \overline{x}_{n}} \cdot v$$

rer such w" = (Cr. , t. ) + E + t. + . . . + t. 4 11 11 X. .

We prove that  $C_{ij}$  is a strongly continuous subgroup as immediate on  $L^2(X^{-1})^{(i)}$ . First we thank that  $B_{ij}$  is an immediate, by using 146.65, and to observing that the measure  $B_{ij}$  is the product of the bandance  $B_{ij}$  and  $B_{ij}$  value for  $B_{ij}$ . First in.

$$\begin{split} & = a_{i_1} f_{i_1} f_{i_2} e + c + \int_{\mathbb{R}^2} e \cos((a_{i_2} f_{i_1} f_{i_2} f_{i_2}) + (a_{i_2} f_{i_2} f_{i_2} f_{i_2}) \\ & = \int_{\mathbb{R}^2} e \left( (f_{i_1} g_{i_2} g_{i_2} f_{i_2} g_{i_2} f_{i_2} f_$$

Here we have used the repredictables constitue  $t_{\rm p}(t) + t_{\rm s}$  . Next we show that  $t_{\rm p} + t = 01$  to a resignary. Desired, we have

$$\begin{split} & (\mathbf{E}_{\mathbf{x}_{0}} \leq \mathbf{E}_{\mathbf{x}_{0}} G(\mathbf{w}) - \mathbf{E}(\mathbf{w}) (\mathbf{e}_{\mathbf{x}_{0}}^{-1}) (\mathbf{e}_{\mathbf{x}_{0}}^{-1}) \mathbf{e}_{\mathbf{x}_{0}}^{-1} \\ & + (\mathbf{w}) (\mathbf{e}_{\mathbf{x}_{0}}^{-1}) (\mathbf{e}_{\mathbf{x}_{0}}^{-1}) \mathbf{e}_{\mathbf{x}_{0}}^{-1} (\mathbf{e}_{\mathbf{x}_{0}}^{-1}) + (\mathbf{E}_{\mathbf{x}_{0}}^{-1}) \mathbf{e}_{\mathbf{x}_{0}}^{-1}) \\ & + (\mathbf{w}) (\mathbf{e}_{\mathbf{x}_{0}}^{-1}) \mathbf{e}_{\mathbf{x}_{0}}^{-1} (\mathbf{e}_{\mathbf{x}_{0}}^{-1}) + (\mathbf{E}_{\mathbf{x}_{0}}^{-1}) \mathbf{e}_{\mathbf{x}_{0}}^{-1}) \end{split}$$

above an face agent the fullowing inhalitous considerance of the definitions:

$$(2000)\log_{1}(1100)\log_{10}(\zeta_{2}^{2}) = (2000)\log_{10}(\zeta_{2}^{2}) = (2000)\log_{10}(\zeta_{2}^{2})$$

Now that we have show that  $\Omega_q = 1.2.00$  as a summirror of important, it is summaris to variety that it is enably continuous at t = 0 as elements of the elements become product  $T^2\Omega_{q}^2 = h_0$ . This we do by action when  $a_q(b_q)(x_1) + 1a^2$ . Finally, we make the identity of elements of  $a_q(b_q)(x_1) + 1a^2$  and  $a_q(b_q)(x_1) + 1a^2$ 

the Degree Sullive.

Traces No. 7 and That Engales when that will represent the adjustment of a large class of W-adjustment passage in representations.

We know, as a typyroduct, the following initiate quasa distinct traces (sentiment to Engales A. and send to Engales II to allow those area proceeds and proceeds.

35.2 THEOREM can be a bettern space, and not refreshive spaceticly submarked operator of  $m_1$ . Let n be a positive bounded operator on  $m_2$ . Then there exists an innovative orbidality n of m that a hillion operator of n a strongly continuous samplement (0, 1, 1, 2, 3) of terrangual as n, such that

Proof: Let  $T_k$  be the dynomical subspace, of contribut type on Birl construction from the control congrues  $E_k = e^{(k+k)T}$  as  $r_k$  appears—with the constraint, southing as K given by  $k(x) + k^{\frac{k}{2}} + k^{\frac{k}{2}}$ 

when  $T_{\xi}(x) = 1 + \xi_{\xi}^{*}C_{\theta} = 11 D_{\xi}^{*}$ . Consider the investate entending when  $x \neq x \in \xi$  gives  $x_{\theta} \neq x \neq x$ , then, by the definition of  $D_{\xi}^{*}$ , we have  $10_{\xi} \neq 120 = 0_{\xi} \neq 121$ . Since  $M^{*}D_{\xi} = D_{\xi}M^{*}$ , and so  $D_{\xi}^{*}W = M^{*}D_{\xi}^{*}$ .

# 17. UNITARY DILATIONS OF BRHAMICAL SEMIOROUPS

- In Courter 18 on obtained immedial representations was an adoption of Liestian type on \*\*-edgement on two investigate settery obtained or much senigrous, using Compacts unitary Stiation of immediate unitgrape Pleasure 3.17. In order to carry itrough the anadomation on test to place earlier senigrations on attent the algebra on the emograph. By the first place, or one models injudging was feature algebraic, for simplicity, we give a satisfied communication for first locate.
- 17.1 Toposope. Let to be a William opens, and let XI<sub>1</sub> : t x ti) be a modely continuous observable configurate of Ministral Ages on 1810. Then there exists a see deciment algebra if on a Milliam passes in an administral of Olivi as a non-linearies administral by a configuration of of ministral and a strongly continuous unitary group (a<sub>1</sub> · b + B) = t<sub>1</sub> such that

and.

for all a in 5011. Materier, in Seas

$$\theta_{ij} = \theta_{ij}^{+} + \delta \Omega_{ij}^{-} \sin i \, i_{ij}^{+} \lambda, \quad i \in \mathbb{R} \ , \label{eq:theta-inter-state}$$

five all in its more.

Proof) is one the solution of Transaction, i.e. Let  $(G_q): t = 0$  be the constraint of immersion mass test to  $T_q(m): (C_q^{-1}) \neq m(S_q)$  for all n in Sight. By Proper's Theorem Singraps 2.11, there exists a Hijbort sense, an immersion employing  $H_q : t \in \mathbb{R}$ , and a strongly continuous which group  $(H_q : t \in \mathbb{R}, 1 \text{ on } 1)$  such that

Let  $u_1 = 0.01 + 1 = 0.00 \pm 10.5(v_n) = 0.1$  be the constant momentum  $x = 1 = x_1$  and let  $u_2 = 0.05(v_n) + 0.1 \pm 0.1$  be the commoding given by  $u_1(x) + u_2 + u_3^{-1}$ . Define a constitution connectation  $u_2 = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 - 0.01) = 0.01(1 -$ 

(Marriage,  $a_1(\cdot) = b_1(\cdot) B_1^{-1}$ ). Finally, we have B be B(0,1) exceeding first so B with  $a = a_2 = a_3$ , and drojecting becomes B(0) with  $B = B_3 = B_3$ . For a, we have so B(0) and  $A \in B_3$  we have

me the other food, for a dr CCL 12 1001, so your

His is more than stoogs to prove the Hearten-

17.2 Repared In the course of the proof of frequency for the force that the security  $u_{ij}$  (  $p(n) = p(1)^{2}(F_{ij}, p(1))$  given by n+1 = s is contained from the expression  $u_{ij}^{*}$  given by  $x+k_{ij} + k_{ij}^{*} + F_{ij} = s$ , where  $F_{ij}$  is the argumentian in  $t_{ij}^{*}(F_{ij})$  given by the annualization function of the argument  $f_{ij}$  is the argument that the assembling  $u_{ij}^{*}$  best the above that  $h_{ij}$  is a constitution separation with respect to  $u_{ij}^{*}(s)$  for the sum of the  $h_{ij}^{*}(s)$  for the argument  $h_{ij}^{*}(s)$  and  $h_{ij}^{*}(s)$  for the  $h_{ij}^{*}(s)$  and  $h_{ij}^{*}(s)$  are the sum of the  $h_{ij}^{*}(s)$  for the  $h_{ij}^{*}(s)$  and  $h_{ij}^{*}(s)$  are then

$$a_{i}(a_{i}^{*}, a_{i}^{*}) \approx a_{i}^{*} \approx a_{i}^{*}$$

se that

writte

$$c_{a}(a) \ + \ n_{b}(c_{b}^{a}) + + n_{b}(c_{b}^{a}) + + n_{b}(c_{b}^{a}) + n_{b}(c_{b}$$

Many generality. For each formal notices E of  $T_{\mu}$  and the separation projection  $\theta_{g}$  on  $L^{2}(T_{g})_{c}$  we have

$$\begin{aligned} d(u_{k}^{*}, u_{k}^{*}) P_{k}^{*} &= s(1) I_{k}^{*} 1 + 8 I_{k}^{*} (U_{k}^{*}) P_{k}^{*} &= s(1) I_{k}^{*} 1 \\ &= \int_{0}^{\infty} (I_{k}^{*} S_{k}^{*}) ds(1)^{2} (s(1) du_{k}^{*}) du_{k}^{*} (s(1) - 1) du_{k}^{*} (s(1) -$$

Note the large or significance objection of the Physics surged to Soviet' onecomplete or reside this traver.

Di Thropen 17,1 se universation se delinopathon group, needly  $(Q_{ij}^{(k)})^{-1} Q_{ij}^{-1} + 0 = 21.5$ , se the objects fill, estim amplicate acts the given gyranical strange on  $\{Y_{ij}^{-1} + 1 + 2 + 1 = 21\}$  on (0,0). It strange to from a manipular of setting one fill shows in deligners of set (0,0) which is globally structure solder  $(X_{ij}^{-1} - 21)$  which is globally structure solder  $(X_{ij}^{-1} - 21)$  which is globally structure of (0,0). It is follow the tight delianment of on the setting one follows of setting.

27.5 BEFINITION A new lancest algebra film injection if a new over him and about an a verticement and appears of earther was becomes angeled him there exists a constituted numerical for a security material and a verticement appears of a security material and had been proposed association for the numer of Lindbled part of securities are becomes algebra present arthory diletion to the numer of Henniso 17.1.

The and only if it is become the fifted Highlit that a new becomes algebra in rejection for and only if it is hypertrapian. Seen an appeared the first electrostic is not feasible. Furting in the second alternation, at some a new becomes antegrate & of D(1) which is not invested instant and D(2) is a 1 to 0.0, and nothing alternative and the second and the high second and related to the real electrostic and the second and the high second and related to the real electrostic and the high second and related to the second and the high second and related to the second and the high second and related to the second and the highest second and related to a posterior of the highest second and the second and

This progresses in perferred in the fallowing thereen.

27.4 Decores Let a be a separation without space; for  $\Omega_{\chi}$ :  $\chi$  = 11 for a weakly continuous dynamical analysis, of the bolished approximate or strong analysis continuous contraction configuration,  $\eta_{\chi}$  and  $\eta$ , and an adjoinability continuous completely profit for these map  $\chi$  on these completely profit for these map  $\chi$  on the  $\chi$ 

$$T_{\frac{1}{2}}(n) \rightarrow S_{\frac{1}{2}}(n) + \frac{1}{2} \left( S_{\frac{1}{2}+\frac{1}{2}} + S + S_{\frac{1}{2}}(n) \right) \leq \varepsilon$$

with  $\pi_1 v + \pi_1^* = \theta_0$  . Suppose that v has a disorpositive

where  $W_{\alpha}(t)$  is a  $\alpha$ -finite regime open, and  $\alpha$  =  $A_{\alpha}$  is eachly researching. If W(t) is the Engineer electric on M such that

there the dynamical continuing  $\{1\}_i \times 2$  is  $\{1\}$  on R has a uniformy different. Must be, there exists a sum from a signific R on a different space  $L_i$  is strongly continuous suching group  $\{0\}_i \times 1$  is R in  $L_i$  or unbedding a of R are a set dynamic and significant expectation R of R and a record conditional expectation R of R onto R such that:

$$a_{i}^{*} \stackrel{\circ}{h} u_{i} \in \mathbb{R} \text{ for all } i \in \mathbb{R}$$
 , (1974)

Specify for closely, we gree the sideals of the power for the some effect of a manufactor because. We exist the relations and construction many to the proof of Theorem 1914. Thus we have a strongly mentioned inscribing energy and  $(U_{ij} + i \times i)$  in  $L^2(V_{ij} + i)$ , and we inscribe energy  $U_{ij} + i \times i$  in  $L^2(V_{ij} + i)$ , and we inscribe energy in  $U_{ij} + i \times i$  in  $U_{ij} + i \times i$  in the object  $U_{ij} + i \times i$  in  $U_{ij} + i \times i$  in  $U_{ij} + i \times i$  in the constraint of  $U_{ij} + i \times i$  in  $U_{ij} + i \times i$ 

Fig. 8 =  $1(\xi_1^2 - g)^{-1}(t_1^2 + h + h)^2$ , where  $a_g = h^2 + h(h)$  is again reflect as  $a_g(h) + a_g = h_g^2 + h$ , and other than  $h_g(h) \in h^2$  where  $h_g \in H + h(h)^2(a_g(h))$  is defined as  $h_g(h) + h_g^2 + h_g^2 + h_g^2 + h$ . For this, if is approximate to be explicitly from an interesting of  $\frac{h}{h}(h)$  and the arithmeter h. We get this to transmitting of  $\frac{h}{h}(h)$  for a unitary h.

$$= \int_{0}^{\pi} \int_{0}^{\pi} dt (w_{k}^{-1}, t) (w_{k}^{-1}, t) dt (w_{k}^{-1}, w_{k}^{-1}) + 2w_{k}^{-1} w_{k}^{-1} + 2w_{k}^{-1} w_{k}^{-1})$$

$$= \int_{0}^{\pi} \int_{0}^{\pi} dt (w_{k}^{-1}, t) (w_{k}^{-1}, t) dt (w_{k}^{-1}, w_{k}^{-1}) + 2w_{k}^{-1} w_{k}^{-1} + 2w_{k}^{-1} w_{k}^{-1})$$

$$= \int_{0}^{\pi} \int_{0}^{\pi} dt (w_{k}^{-1}, t) (w_{k}^{-1}, t) dt (w_{k}^{-1}, w_{k}^{-1}) + 2w_{k}^{-1} w_{k}^{-1} w_{k}^{-1} + 2w_{k}^{-1} w_{k}^{-1} w_{k}^{-1} + 2w_{k}^{-1} w_{k}^{-1} w_{k}^{-1} + 2w_{k}^{-1} w_{k}^{-1} w_{k}^{-1} + 2w_{k}^{-1} w_{k}^{-1} w_{k}^{-$$

Herbier St. - Germannet der

$$H_{q}^{s}(\Omega w) = \int \Omega d d \Omega (w' \Omega'' + \Omega (w', w)) d w_{q} (w' - \omega) d d w_{q} (w' - \omega) d w_{$$

As what follows we are  $u^2$  to exacts  $v_1(u^1,u)$ , where  $u^1$  by a variable of drag values conside through  $v_1v$  we remain that  $u^2_{-2} + u^2$ , and  $u^2_{-2} + u$ . We obtain that  $v_1(u^2) \in \mathbb{N}^2$ . For  $u \in U$  and  $u \in V^2$ , we have

$$\begin{array}{lll} \theta_0(\Omega_0^n, \sigma_0(x), \Omega_0^n) & = & \theta_0^n, \Omega_0^n, \Psi_0 + \delta_0^n, \Omega_0^n, \Psi_0 \\ & = & \theta_0^n, R_0^n, \end{array}$$

we have a to  $L^{n}(Y_{\underline{a}})$  the energy  $Q_{\underline{a}}^{n} + \mathbb{S}_{\underline{b}}$  as an element of  $O(L^{n}(Y_{\underline{a}}))$ , and show that it can be  $L^{n}(Y_{\underline{a}})$ , we have

$$\begin{split} & \{ E_{k}^{a} \times E_{k}^{a}(t) | a = \sum_{k} \{ (a \otimes ((a^{*}))^{2} \cdot (a E_{k}^{a}(t))^{2} \} : (a \otimes ((a^{*}))^{2} \cdot (a E_{k}^{a}(t))^{2} \} \\ & + \int \{ (a \otimes ((a^{*}))^{2} \cdot (a E_{k}^{a}(t))^{2} \} : (a \otimes ((a^{*}))^{2} \cdot (a^{*})^{2} \} : (a \otimes ((a^{*}))^{2} \cdot (a^{*})^{2} \} : (a \otimes ((a^{*}))^{2} \cdot (a^{*})^{2} ) : (a \otimes ((a^{*}))^{2} ) : (a \otimes ((a^{*}))^{2} \cdot (a^{*})^{2} ) : (a \otimes ((a^{*}))^{2} ) : (a$$

$$= \int\limits_{X} \mathbb{E}[\Phi((u^{\alpha}))^{\alpha} dv^{\beta}] \cdot ((u u)(u^{\alpha}) H(u) \cdot dv_{\alpha}(u^{\alpha}) \cdot dv_{\alpha}(u^{\alpha}) \cdot dv_{\alpha}(u^{\alpha})]$$

+ 
$$\int_{\mathbb{R}_{q}} \Pi_{q}(\theta_{q}, \nabla_{\theta} \theta) (de^{2} \Omega)^{2} \sin^{4} \theta \sin_{q} (de^{2} \theta) \sin \theta$$
 -

then  $m_{\tilde{g}}^2 \times n_{\tilde{g}}(t,s) \sim \int f(x_{\tilde{g}},y_{\tilde{g}}(t)) e^{s}(t^2) \sin 4\pi e^{s}(t^2) \int f(x_{\tilde{g}}(t)) dt dt dt dt dt$  , where  $n_{\tilde{g}}^2 \times n_{\tilde{g}}(t,s)$ 

$$B_k^{\alpha} \cap B_k \in \mathbb{N}^2, \quad \text{for } \alpha \geq 1 \text{ and } b_k \geq 0, \ k+1, \ \ldots, \ n_k \Rightarrow 2n \text{ then } a_n \text{ to}$$

$$s_{n} \to s_{n}(s_{n}^{*}, s_{n}(s_{n}), s_{n}(s_{n}^{*}, s_{n}^{*}), s_{n}(s_{n}^{*}, s_{n}^{*}, s_{n}^{*}), s_{n}(s_{n}^{*}, s_{n}^{*}, s_{n}^{*}, s_{n}^{*}) + s_{n}(s_{n}^{*}, s_{n}^{*}, s_{n}^{*$$

31. feliless that

$$s_{i_1} + s_{i_1} s_{i_1} s_{i_2} s_{i_2} s_{i_3} s_{i_3} s_{i_2} \ldots s_{i_{k+1}} s_{i_k} s_{i_{k_1}}.$$

observing that for all A, Y 2 D we have  $\mathbf{s}_{2}^{m} \in_{\mathbb{R}^{n}}^{n} \mathbf{s}_{2}^{m} \in_{\mathbb{R}^{n}}^{n} \mathbf{s}_{3}^{m}$ , as a consistence of Thiotom 3.1. We have to state or smallest reported to a state or smallest reported to a totropic  $\mathbf{s}_{2}$  contract by

$$(h_i) = H_i +_i H_j \cdot h_i +_i H_j \cdot h_j \cdots +_i H_{i+1} \cdot h_{i+1} =$$

wetherstand that  $D_g\Big|_{{\bf T}_{\rm poly} \cap D} \to \sigma_{\rm N}$  . By fibers sminulation of two eigenstands and have

$$(b_1 f)(a) = \int_{\mathbb{T}_q} \int_{\mathbb{T}_q} \tilde{h}_1(a^1, a^2, a) \cdot f(a^{-\frac{1}{2} \frac{1}{2}} \chi_{\frac{1}{2}}) \cdot da \chi_{\frac{1}{2}}(a^1) \cdot da \chi_{\frac{1}{2}}(a^2)$$

Acres 6

$$\tilde{k}_{1}(u^{*},v^{*},\omega) = 1(\operatorname{Bell}((v^{*}))^{*} \cdot v_{1}(u^{*})^{*} + (\operatorname{trap}((v^{*}))^{*} \cdot \operatorname{trap}(u^{*})^{*})^{*},$$

Salaman Unit; FET P 2 5; on Years

$$(\eta_{q}P_{r}(u)) = \int_{\mathbb{R}_{q}} \dots \int_{\mathbb{R}_{q}(u)} \hat{\eta}_{q}(u), \dots u^{(q+1)}(u)P_{r}^{(q+1)} \frac{1}{1_{q}} \dots \frac{q_{q+1}}{1_{q}} + \frac{1}{1_{q}} \frac{1}{1_{q}} + \frac{1}{1_{q}} \frac{1}{1_{q}} + \frac{1}{1_{q}} \frac{1}{1_{$$

then

$$\begin{split} (b_{g+1}(t)(a)) &= \int_{\mathbb{R}_{q}} \cdots \int_{\mathbb{R}_{q}} \tilde{b}_{g}(a^{i_{1}}, \dots, a^{i_{p(q+1)}}) & \text{del} \left(a_{g+1}b_{q+2}^{2}, b_{q+2}^{2}\right) b_{g+1}(t) \left(a_{g+1}^{2}b_{q+2}^{2}, \dots, b^{i_{p(q+1)}}\right) \\ & + b_{g}(a^{i_{1}}, \dots, a^{i_{p(q+1)}}) a^{i_{1}(a+1)}) \\ &+ \int_{\mathbb{R}_{q}} \cdots \int_{\mathbb{R}_{q+1}} \tilde{b}_{g+1}(a^{i_{1}}, \dots, a^{i_{p(q+1)}}) a^{i_{1}(a+1)} a_{g+1}^{2} a_{g+1}^{2} a_{g+1}^{2} a_{g+1}^{2} a_{g+1}^{2} \\ & + b_{g}(a^{i_{1}}, \dots, a^{i_{p(q+1)}}) a^{i_{1}(a+1)} a_{g+1}^{2} a_{g+1}^{2} a_{g+1}^{2} a_{g+1}^{2} a_{g+1}^{2} a_{g+1}^{2} \\ & + b_{g}(a^{i_{1}}, \dots, a^{i_{p(q+1)}}) a_{g+1}^{2} a_{g+1}^{2$$

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$$\begin{split} \hat{b}_{p+1}(w^{p}, \dots, w^{q, n+2}) &= \hat{b}_{p}(w^{p}, \dots, w^{q, n+2}) \sin(a_{p+1}) \frac{a_{p}b_{p}}{2} a_{p}^{-1} \frac{a_{p}b_{p}}{2} a_{p}^{-1} \frac{a_{p}b_{p}}{2} a_{p}^{-1} \\ &= \text{COMMO}(a^{(p+p)}) \frac{a_{p}b_{p}}{2} a_{p}^{-1} \frac{a_{p}$$

 $g_{(ij)}$  (17.3) Tables for a=1, and force, by (13.7), for all a=1 ). Symboling  $(u_a^{ij})$ (a) at  $u_{a+1}=0$ , we have

$$(a_{j_1} \circ j)(a) = \int_{a_{j_1}}^{a_{j_2}} \dots \int_{a_{j_{2n}}}^{a_{j_{2n}}} (a^n \cdot \dots \cdot a^{j_{(n)}} z_1 a_n) f(a^{j_1} a^{j_2} a_{j_2} \dots a^{j_{(n)}} z_{j_{(n)}} a_{j_{(n)}} a_{j_$$

It defines discribe from the perfections that  $\frac{u^2\eta^2}{u^2} \frac{1}{u_1} \cdots \frac{u_n}{u_{n-1}} \frac{1}{u_n} + u_n$  so that

LECTO

$$\sigma_{\mathbf{s}}(\mathbf{s}) := \int_{\mathbb{R}_{\mathbf{s}_{\mathbf{s}}}} \cdots \int_{\mathbb{R}_{\mathbf{s}_{\mathbf{s}}}} \tilde{\sigma}_{\mathbf{s}}(\mathbf{s}^{s_{1}}, \dots, \mathbf{s}^{p_{r-1}}, z_{1}\mathbf{s}) : \mathbb{E}_{\mathbf{t}_{\mathbf{s}}}(\mathbf{s}^{s_{1}}, \dots, z_{r_{\mathbf{s}_{\mathbf{s}}}}, \mathbf{s}^{(a_{r})}) :$$

Then  $g_{ij}$  Then In  $M^2$ , we then  $H_{ij}$  fit a  $H^1$  by contractly. We assume the error by taking the conditional expectation  $\tilde{V}_{ij}$  of  $H^2$  onto 2000. For example, let G be a second whole on  $L^2(Y_{ij})$  then  $g_{ij}$ , a large number of  $L^2(Y_{ij})$  and pace  $\tilde{H}_{ij} = p + 1 + 1 + C_{ij}$  with H. All we have  $q = h_{ij}$ , then  $\tilde{V}_{ij}(q_i) = a(a)$  for q = a  $H^2$ , in that, is the relation of Thomas 17-1. The extraction of  $h_{ij}(q_i) = h_{ij}(q_i)$  for  $H^2$  contraction with  $\tilde{H}_{ij}$  in this man, J. We then  $g_{ij} = q_{ij}$  and  $H = \tilde{H}_{ij} = h_{ij}$  and we have:

$$T_{\alpha}(\alpha) = M(0)^{\alpha} \text{ with } (0,1), \quad \alpha \in \mathbb{R}_{>0}$$

see all wite for the

17.5 Binate the most  $t \mapsto U_k^{\bullet}(\tau) \cdot U_k$  is exactly contained, it is exact to extensive transfer as the most though the  $T_k$  may be, or large  $T_k$  is a tensor prime of  $T_k$ . Further, exposes  $t \mapsto T_k$  is strongly matrix and a sum to  $T_k$  is strongly interference with grounds of  $S_k$  and  $S_k$  with  $S_k$  is a sum to the  $T_k$ . Thus,  $T_k = \{t, t\}_{k=1}^{k}$  is the energy strongly in the form  $T_k$  in  $T_k$  as some  $T_k$  in  $T_k$  as a sum to  $T_k$ . Thus,  $T_k$  is a sum of  $T_k$  in  $T_k$  and  $T_k$  in  $T_k$ 

wind to 1 for a desirability of F in a comp for 1; in this code it follows from Records 14.5 that F. Is a consignance temporary one.

## Regularious

1. But make remain of this recipror in Newton 1.5. For another excitations of a 2. St was proved by Salmanton 1980; or street that a nervel in the survey of a street of the survey of the survey of a street of the survey of

The life of using the langergroup relief then the quantifethoses (factors, 1965) gain been to Arrends (1955), it was been confolioning delicate 1955; and Serveton & Milestense (1955) for Hillard upon miletions, and by faces (1955) was many (1955) in given representation theory.

Summer to origina of Designs 1,50 will to Page Ja the latter of Change 15.

The effective figures for deulther-entire to taretime by groups (Corollery, 2.81 to the far fathure 11942/14. It was untitied to Promigrouse by Sa. Hegy itable. The supprised measured that of a completely positive sexual-values say ittel day of a state? or a C7-pigeles on home at the 065 construction illustrate & Agingto, 1985, Edgel, 2007). It was auturated by Princepting [1985] to comsize-adied carbiston photon one on rotal C'algebran, the original prest see, alrealified by Arvency (1987), were the remain over relations to a larger olders of solidat "collectors by Passers (1879). Lance (1870) excelled the Stirumbeling proposition for my would 6"-eigetrus to going to the sense qual. The result. For howers "-discords with approximate identifies fiftheren 2.111 in dom: to Febru 11875), for some related results, one Posters 138750. Se can be seen from the proof of Decree 2.45, the blicamorica decommodition for a completely positive may after monete complete of a sampace N's, where N as a left local by as adjusted by car to extension to each a way that it is constructed we the whole of &. Days In the discoveration and by Every 1157/at to study arthundred complately positive mass on I wilyings work designs associat of basedtlary \*-subvigoreni.

The relationship between the thirmworks decreased from the righten are the Matters printipe for groups in previousless because the model than the literature law limit. By it is a locally connect group, there is a terrorough payortime extreme amplitudy continue maps on  $\mathbf{x}^{\dagger}(0)$  and there is a terrorough payortime extreme of  $\mathbf{x}^{\dagger}(0)$ . By it is another,  $\mathbf{x}^{\star}(0)$  and the interstitute of  $\mathbf{x}^{\dagger}(0)$ . By it is another,  $\mathbf{x}^{\star}(0)$  and to interstitute that the Februar symmetry with  $\mathbf{x}^{\dagger}_{\mathbf{x}}(0)$ , the intrinsical American variating at including on  $\hat{\mathbf{x}}$ , the state and  $\mathbf{x}^{\star}(0)$  are the state of  $\hat{\mathbf{x}}$ , the state and  $\hat{\mathbf{x}}$  and  $\hat{\mathbf{x}}$  are the state of  $\hat{\mathbf{x}}$ .

3. The though of standard of methodom andgroups began with Comparigness and administrated function 3.1; It is interesting to note that the noting then now from such an exchange (Comparistica, 1). Houses 3.2, we the statement of mentgraces of contractions, in fact to 52.-Negy (ISES), it is a sawfruit tool in this post name. Description, 10, togs & Polan. 1971.

The same of the power of these bulk same from  $(r, -\log_2 1)$  [155], and choosered the correction between positive derivate functions on R and r specifying of contractions (ordered by N). Atta exists was provening by R > 0 [156], and Table work R to contact r our expectition.

The profunction of a unitary distinct of a contraction profurning contracting attenties for on the Chapter 1.18 is one to the S Particle 1887; this worked can be modified to give an elementary power of Particle 2.3.

The Sacy & Parce, 1870, 47-10.21. The contract Largevin squarium in Theorems 3.13 was estated by Levie & Themse 1870; in momentum with an emograph of the factor Configuration (1871). The contract contract with an emograph of the factor Configuration (1871).

4. There is an extension record literature on consisting position record of C\*-edgeleras and the between product construction; one the recise by C\*-run.

1287th. The equivalence of (1) and (1) in (seen-2.7(a) occurs in the extent of Sedrour (2074) and function [1973]. The power given here of terms 8.7(a) to the Ta Dana Enriques communication. Segrees (1983) student that a positive map tree or orbitrary C\*-edgelera (a) to a communicative C\*-edgelera in inspiratory observations to used a slightly different entires from the energy given rare (Desires 5.1). Thus, any positive map from a communicative C\*-edgelera from an exceptional or communicative c\*-edgelera from an exception of the communicative c\*-edgelera f

Sensors inequality (4.31 in Corollary 4.5 was first obtained for self-recipies assessed by Sacient (1952), who meet an entirely different method. Corollary 4.5 was its possitive that recepted by Statemer (1953, 1967) whose with the Samuer dropolity of Thurson 4.19 for completely positive map (4.44 assemblely the same great on in Compton 51. For other Schwerz type Invisellities, with contain positivity assessment to the first selections, and for the Training A.5 in the to Strain Lagrantian 41. Assembly A.5 in the to Strain Lagrantian 41. Assembly A.5 in the to Strain Lagrantian 41.

Spons 1987F detained the namedical decomposition of a vormal completely positive way on the one humans algebra of all nounts; operature on a Pillors' space. This 1985; present that II, in Twaren W.E. w and E. ore finise-diserblewed the decomposition too be crossed on that the martinality of life and X is at most time [9], the [8].

- L. Conditional expensiones on election parametrizing popular sets detectorlist by Phys (1984) in least or positive maps with the module property (CES). The study of enalogues of undeficient appearance in the removement of ending was segue to (2004). A parametrizing to endow or flooring a. 1 and 6.2 set as source in (2004) (1976); the first orders to endowment theory, the second in the composition of question system. These set is the not to fundament (1987) and droops (provided the size of given born in taken sorted in this election (1987). The designation of a conditional especiation excepted in this election and the size of the state of the size of the si
- 6. 8. These deactors provide an examilties of some of the felb-love of estimation posts. The function of a provided posts or Fock space in by Eoch 1982;. The shared-continuous of a governoise functional of the SSR is one to Sonal 1980; and to Sonal 1980; the sales are to Sonal 1980; the sales are to Sonal 1980; the sales are a sale given by Court 1980; the sales are an approximately functions stated before questioning functions are of the farm (2.7%) were introduced by Sapal 1982].

Bur Crosswert of tra CAN Algoria and the expressionations to in the opposit of the security & Control 14507.

- 4. The data possible of this contains one doe to binary 1977; or taking the expectation of binary (1972). Her tay income (1974) is the to finit (1982). The contraction employed in the proof few their used to finite (1974) and by Evens (1974) in the contraction of the contraction of the contraction.
- We. Specified paraminal samples as assertates with representations of the CCR wave incontrigated in the thronic of Trains. [1871]: see eight having a Technic [1870]. The two offences that is the offence that is the offences that is the offence that is t

Theorems 10.2, SLF, 95.6 are an elementary of the eart of young & Costs CENTRE: Exercially, the great of Theorem 18.75 in one in kinemer largered communication, who sees it is give an elementary proof or the rest trating type I was became element of picture.

- Begris H.-1 agrees in Equatoria 4 Aceter 122701, Spr rainted with see Helium (1978). Screens 4 concerns (1276).
- 77. Miletimo of Zumi Proc systemical entigeness designed to inversation assignment one to Paper in the Paramoni (Paler et al., 1988, Thomas, 187), Lawto & Thomas, 2074, the hore have been abacted to occasi by Saveta (chifal, man Light), there et al. (1971, Apen & Leute (1975).

Fract (1976) has bross that a menosymmetr unitary group on a visibal more gives rise to a nice continuous group of automorphisms on the Lot abgeton 16 and 605 44 the gammater of the injusts spain books to become the second 1987a. And abademi month-free dynamical temperature on the EAM algorith installa follows from the meet that a sucception sendgroup with a trace closs generatur on a Hillment space traces a pose-continuous operatual contiguous on the CSA algebra.

23. Honeye W.Y and his prior are not in finite COURT. It is until the to nature the newton the newtonic to the uniquely of a "-elegizat. Some 1905. Market had principally establish this record for stancets groups. Over 12 to applied to estimate the constant of the new total acts and the court of the constant of th

The E\*-Algebra generated by TAAL and 3\*CO in a generalization of the E\*-common product of a 5\* elegate by a group of exponentiates (Turners, 1968), One Linear Addition & Michigan, 1968).

14. Temper 16.1 was obtained by Komin Librit, and gradualized the small beauting the strongly continuous pre-parameter grows. That LLI beyline byth in Theorem 14.2 is then to have 115701, who interpret also that LLI beyline LLI is beginned to the Could deptice. The semicodensmin LLI - 16 of Theorem 14.2, and size Theorem 13.7, 14.6, are the to Kooke & Hamilton-Class. [1207]. Theorem 16.3 is at paymenters on the said of Electronic LLITOIS see the Said-LLITOIS (COULD SAID) proof of Association (LLITOIS see the Said-LLITOIS (COULD SAID-LLITOIS LLITOIS (LLITOIS SAID-LLITOIS AND SAID-LLITOIS AND SAID-LLITOIS (LLITOIS SAID-LLITOIS AND SAID-LLITOIS

The community of conditionally calcifully position maps and retracted by Fourt (1970): Lemma vi. 5 to failt un the work of Dyon (1970), Linckless (1970) of mod facing (1970). Theorem M.7 is a strongitudity of the result of Symma (1970) for artial C\* eightful. For the evaluation of an artigraphy of small or definity formions or gream, one furthermouth & Schmitt (1971).

For excitor were on the generalize of Agrandood menderation, and Almageticity, see temperature (1975), a. 1979) and Inguiter & Remarkment (1976). For remore serve on the generature of attructly continuous development, has Daries [1976] - 21, - Note able the controlly-element of the generature of position armignature in a Cafetian coors contact by bloom (1976) and cyromes, has seen a dispression (1977). 15. The operations decomposition of numerical reconstruction and groups of completely positive moved report on a von Report eigens was first ablanced independently by Sering, Component & Numerical INVIIII for Finite-discontinual matrix algebras, come by Limbble 118700 for Egypo-finite on Numerical segment. The implication (LT 9-12) is Tourse 15.1 in an improved version of Limbble 1107001; the numerical to the In-Dona (18770).

26 A to a non-monomorphism on a William's specific R. 18 to brown that a<sup>3</sup>(A,8)H13 = 8 15; (13 A to type I or reportingto Linteness, 1872; Ringson, 1872; 1814 A to properly indicate (Consistences, 1875). It is edding compactation that H<sup>1</sup>(A,80H1 = 0 for all one fluorest algebraic.
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